

# The Modelling of Ethernet Data and of Signals that are P

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Citation Report

#	ARTICLE	IF	CITATIONS
1	Estimation of the self-similarity parameter in linear fractional stable motion. Signal Processing, 2002, 82, 1873-1901.	2.1	50
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8	PARAMETER ESTIMATION FOR LINEAR FRACTIONAL STABLE NOISE PROCESS. Journal of Circuits, Systems and Computers, 2005, 14, 233-247.	1.0	1
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21	Self-Similarity of Network Traffic. , 2013, , 251-265.		3
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