Stability analysis of \$heta\$ -methods for neutral function

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Citation Report

#	Article	IF	CITATIONS
1	On the Î,-method for delay differential equations with infinite lag. Journal of Computational and Applied Mathematics, 1996, 71, 177-190.	2.0	48
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