

Yang Kuang

List of Publications by Year in descending order

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160
papers

8,218
citations

50276

46
h-index

53230

85
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166
all docs

166
docs citations

166
times ranked

3775
citing authors

#	ARTICLE	IF	CITATIONS
1	Geometric Stability Switch Criteria in Delay Differential Systems with Delay Dependent Parameters. <i>SIAM Journal on Mathematical Analysis</i> , 2002, 33, 1144-1165.	1.9	494
2	Global qualitative analysis of a ratio-dependent predator-prey system. <i>Journal of Mathematical Biology</i> , 1998, 36, 389-406.	1.9	476
3	Global analysis of the Michaelis-Menten-type ratio-dependent predator-prey system. <i>Journal of Mathematical Biology</i> , 2001, 42, 489-506.	1.9	308
4	Mathematical models and software tools for the glucose-insulin regulatory system and diabetes: an overview. <i>Applied Numerical Mathematics</i> , 2006, 56, 559-573.	2.1	299
5	Uniqueness of limit cycles in Gause-type models of predator-prey systems. <i>Mathematical Biosciences</i> , 1988, 88, 67-84.	1.9	279
6	A stage structured predator-prey model and its dependence on maturation delay and death rate. <i>Journal of Mathematical Biology</i> , 2004, 49, 188-200.	1.9	265
7	Global analyses in some delayed ratio-dependent predator-prey systems. <i>Nonlinear Analysis: Theory, Methods & Applications</i> , 1998, 32, 381-408.	1.1	212
8	Stoichiometry in Producer-Grazer Systems: Linking Energy Flow with Element Cycling. <i>Bulletin of Mathematical Biology</i> , 2000, 62, 1137-1162.	1.9	206
9	Modeling the glucose-insulin regulatory system and ultradian insulin secretory oscillations with two explicit time delays. <i>Journal of Theoretical Biology</i> , 2006, 242, 722-735.	1.7	177
10	Dynamics of a nonautonomous predator-prey system with the Beddington-DeAngelis functional response. <i>Journal of Mathematical Analysis and Applications</i> , 2004, 295, 15-39.	1.0	165
11	Periodic solutions of a discrete time nonautonomous ratio-dependent predator-prey system. <i>Mathematical and Computer Modelling</i> , 2002, 35, 951-961.	2.0	164
12	Periodic Solutions of Periodic Delay Lotka-Volterra Equations and Systems. <i>Journal of Mathematical Analysis and Applications</i> , 2001, 255, 260-280.	1.0	159
13	Predator-prey dynamics in models of prey dispersal in two-patch environments. <i>Mathematical Biosciences</i> , 1994, 120, 77-98.	1.9	156
14	Modeling and analysis of a marine bacteriophage infection. <i>Mathematical Biosciences</i> , 1998, 149, 57-76.	1.9	151
15	Dynamics of a delay differential equation model of hepatitis B virus infection. <i>Journal of Biological Dynamics</i> , 2008, 2, 140-153.	1.7	149
16	A ratio-dependent food chain model and its applications to biological control. <i>Mathematical Biosciences</i> , 2003, 181, 55-83.	1.9	137
17	Growth and neutral lipid synthesis in green microalgae: A mathematical model. <i>Bioresource Technology</i> , 2011, 102, 111-117.	9.6	129
18	Using phenomenological models for forecasting the 2015 Ebola challenge. <i>Epidemics</i> , 2018, 22, 62-70.	3.0	129

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19	Optimal harvesting policy for single population with periodic coefficients. <i>Mathematical Biosciences</i> , 1998, 152, 165-178.	1.9	119
20	Wavefronts and global stability in a time-delayed population model with stage structure. <i>Proceedings of the Royal Society A: Mathematical, Physical and Engineering Sciences</i> , 2003, 459, 1563-1579.	2.1	118
21	Competition and stoichiometry: coexistence of two predators on one prey. <i>Theoretical Population Biology</i> , 2004, 65, 1-15.	1.1	118
22	Convergence Results in a Well-Known Delayed Predator-Prey System. <i>Journal of Mathematical Analysis and Applications</i> , 1996, 204, 840-853.	1.0	116
23	Mathematical Analysis of a Basic Virus Infection Model With Application to HBV Infection. <i>Rocky Mountain Journal of Mathematics</i> , 2008, 38, .	0.4	110
24	Rich dynamics of a ratio-dependent one-prey two-predators model. <i>Journal of Mathematical Biology</i> , 2001, 43, 377-396.	1.9	105
25	Existence of periodic solutions in predator-prey and competition dynamic systems. <i>Nonlinear Analysis: Real World Applications</i> , 2006, 7, 1193-1204.	1.7	101
26	Modeling and analysis of a marine bacteriophage infection with latency period. <i>Nonlinear Analysis: Real World Applications</i> , 2001, 2, 35-74.	1.7	92
27	Global existence of periodic solutions in a class of delayed Gause-type predator-prey systems. <i>Nonlinear Analysis: Theory, Methods & Applications</i> , 1997, 28, 1373-1394.	1.1	89
28	Rich dynamics of a hepatitis B viral infection model with logistic hepatocyte growth. <i>Journal of Mathematical Biology</i> , 2010, 60, 573-590.	1.9	80
29	Dynamics of a class of nonautonomous semi-ratio-dependent predator-prey systems with functional responses. <i>Journal of Mathematical Analysis and Applications</i> , 2003, 278, 443-471.	1.0	75
30	Dynamics of a non-autonomous ratio-dependent predator-prey system. <i>Proceedings of the Royal Society of Edinburgh Section A: Mathematics</i> , 2003, 133, 97-118.	1.2	74
31	A Delay Reaction-Diffusion Model of the Spread of Bacteriophage Infection. <i>SIAM Journal on Applied Mathematics</i> , 2004, 65, 550-566.	1.8	74
32	A clinical data validated mathematical model of prostate cancer growth under intermittent androgen suppression therapy. <i>AIP Advances</i> , 2012, 2, .	1.3	72
33	Analysis of a Model of the Glucose-Insulin Regulatory System with Two Delays. <i>SIAM Journal on Applied Mathematics</i> , 2007, 67, 757-776.	1.8	69
34	Analysis of a Delayed Two-Stage Population Model with Space-Limited Recruitment. <i>SIAM Journal on Applied Mathematics</i> , 1995, 55, 1675-1696.	1.8	68
35	The dynamics of a delay model of hepatitis B virus infection with logistic hepatocyte growth. <i>Mathematical Biosciences and Engineering</i> , 2009, 6, 283-299.	1.9	67
36	Analysis of IVGTT glucose-insulin interaction models with time delay. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2001, 1, 103-124.	0.9	64

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37	Tumor-Immune Interaction, Surgical Treatment, and Cancer Recurrence in a Mathematical Model of Melanoma. <i>PLoS Computational Biology</i> , 2009, 5, e1000362.	3.2	64
38	Is West Africa Approaching a Catastrophic Phase or is the 2014 Ebola Epidemic Slowing Down? Different Models Yield Different Answers for Liberia. <i>PLoS Currents</i> , 2014, 6, .	1.4	62
39	Deterministic extinction effect of parasites on host populations. <i>Journal of Mathematical Biology</i> , 2003, 46, 17-30.	1.9	60
40	Simple Food Chain in a Chemostat with Distinct Removal Rates. <i>Journal of Mathematical Analysis and Applications</i> , 2000, 242, 75-92.	1.0	54
41	Geometric stability switch criteria in delay differential equations with two delays and delay dependent parameters. <i>Journal of Differential Equations</i> , 2019, 266, 7073-7100.	2.2	54
42	Mathematical modeling and qualitative analysis of insulin therapies. <i>Mathematical Biosciences</i> , 2007, 210, 17-33.	1.9	53
43	Boundedness of solutions of a nonlinear nonautonomous neutral delay equation. <i>Journal of Mathematical Analysis and Applications</i> , 1991, 156, 293-304.	1.0	51
44	Lotka re-loaded: Modeling trophic interactions under stoichiometric constraints. <i>Ecological Modelling</i> , 2012, 245, 3-11.	2.5	49
45	The dynamics of temperature and light on the growth of phytoplankton. <i>Journal of Theoretical Biology</i> , 2015, 385, 8-19.	1.7	48
46	Existence, uniqueness and asymptotic stability of periodic solutions of periodic functional-differential systems. <i>Tohoku Mathematical Journal</i> , 1997, 49, .	0.2	47
47	Permanence in Kolmogorov-Type Systems of Nonautonomous Functional Differential Equations. <i>Journal of Mathematical Analysis and Applications</i> , 1996, 197, 427-447.	1.0	46
48	Global Asymptotic Behavior of a Chemostat Model with Two Perfectly Complementary Resources and Distributed Delay. <i>SIAM Journal on Applied Mathematics</i> , 2000, 60, 2058-2086.	1.8	46
49	Dynamics of Stoichiometric Bacteria-Algae Interactions in the Epilimnion. <i>SIAM Journal on Applied Mathematics</i> , 2007, 68, 503-522.	1.8	46
50	Dynamics of a mechanistically derived stoichiometric producer-grazer model. <i>Journal of Biological Dynamics</i> , 2008, 2, 286-296.	1.7	46
51	Mechanisms of Resistance to Intermittent Androgen Deprivation in Patients with Prostate Cancer Identified by a Novel Computational Method. <i>Cancer Research</i> , 2014, 74, 3673-3683.	0.9	46
52	The evolutionary impact of androgen levels on prostate cancer in a multi-scale mathematical model. <i>Biology Direct</i> , 2010, 5, 24.	4.6	45
53	Periodic solutions in periodic state-dependent delay equations and population models. <i>Proceedings of the American Mathematical Society</i> , 2001, 130, 1345-1353.	0.8	43
54	Heteroclinic Bifurcation in the Michaelis-Menten-Type Ratio-Dependent Predator-Prey System. <i>SIAM Journal on Applied Mathematics</i> , 2007, 67, 1453-1464.	1.8	43

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55	Limit Cycles in a Chemostat-Related Model. <i>SIAM Journal on Applied Mathematics</i> , 1989, 49, 1759-1767.	1.8	42
56	Global dynamics of a Predator-Prey model with Hassell-Varley Type functional response. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2008, 10, 857-871.	0.9	41
57	Global stability in a nonlinear difference-delay equation model of flour beetle population growth. <i>Journal of Difference Equations and Applications</i> , 1996, 2, 31-37.	1.1	37
58	Cats protecting birds revisited. <i>Bulletin of Mathematical Biology</i> , 2005, 67, 1081-1106.	1.9	37
59	Stoichiometric Plant-Herbivore Models and Their Interpretation. <i>Mathematical Biosciences and Engineering</i> , 2004, 1, 215-222.	1.9	37
60	Dynamics of a plant-herbivore model. <i>Journal of Biological Dynamics</i> , 2008, 2, 89-101.	1.7	36
61	On neutral delay logistic gause-type predator-prey systems. <i>Dynamical Systems</i> , 1991, 6, 173-189.	0.7	35
62	Dynamics of a Producer-Grazer Model Incorporating the Effects of Excess Food Nutrient Content on Grazer's Growth. <i>Bulletin of Mathematical Biology</i> , 2014, 76, 2175-2197.	1.9	35
63	Nonuniqueness of limit cycles of gause-type predator-prey systems. <i>Applicable Analysis</i> , 1988, 29, 269-287.	1.3	34
64	Accurate state estimation from uncertain data and models: an application of data assimilation to mathematical models of human brain tumors. <i>Biology Direct</i> , 2011, 6, 64.	4.6	34
65	Biodiversity, Habitat Area, Resource Growth Rate and Interference Competition. <i>Bulletin of Mathematical Biology</i> , 2003, 65, 497-518.	1.9	33
66	Biological Stoichiometry: An Ecological Perspective on Tumor Dynamics. <i>BioScience</i> , 2003, 53, 1112.	4.9	33
67	Enhanced modelling of the glucose-insulin system and its applications in insulin therapies. <i>Journal of Biological Dynamics</i> , 2009, 3, 22-38.	1.7	33
68	Global analysis of a stoichiometric producer-grazer model with Holling type functional responses. <i>Journal of Mathematical Biology</i> , 2011, 63, 901-932.	1.9	31
69	Mathematically modeling the biological properties of gliomas: A review. <i>Mathematical Biosciences and Engineering</i> , 2015, 12, 879-905.	1.9	31
70	Global stability of endemic equilibrium point of basic virus infection model with application to HBV infection. <i>Journal of Systems Science and Complexity</i> , 2010, 23, 1221-1230.	2.8	30
71	A viral load-based cellular automata approach to modeling HIV dynamics and drug treatment. <i>Journal of Theoretical Biology</i> , 2008, 253, 24-35.	1.7	29
72	Dynamics of a three-species food chain model with fear effect. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2021, 99, 105809.	3.3	29

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73	A stoichiometric producer-grazer model incorporating the effects of excess food-nutrient content on consumer dynamics. <i>Mathematical Biosciences</i> , 2013, 244, 107-115.	1.9	28
74	Systemically modeling the dynamics of plasma insulin in subcutaneous injection of insulin analogues for type 1 diabetes. <i>Mathematical Biosciences and Engineering</i> , 2009, 6, 41-58.	1.9	27
75	Global attractivity and periodic solutions in delay-differential equations related to models in physiology and population biology. <i>Japan Journal of Industrial and Applied Mathematics</i> , 1992, 9, 205-238.	0.9	26
76	Mathematical Models of Androgen Resistance in Prostate Cancer Patients under Intermittent Androgen Suppression Therapy. <i>Applied Sciences (Switzerland)</i> , 2016, 6, 352.	2.5	26
77	Review: Mathematical Modeling of Prostate Cancer and Clinical Application. <i>Applied Sciences (Switzerland)</i> , 2020, 10, 2721.	2.5	26
78	The roles of predator maturation delay and functional response in determining the periodicity of predator-prey cycles. <i>Mathematical Biosciences</i> , 2009, 221, 1-10.	1.9	25
79	Mathematical Insights in Evaluating State Dependent Effectiveness of HIV Prevention Interventions. <i>Bulletin of Mathematical Biology</i> , 2013, 75, 649-675.	1.9	25
80	Qualitative Analysis of One- or Two-Species Neutral Delay Population Models. <i>SIAM Journal on Mathematical Analysis</i> , 1992, 23, 181-200.	1.9	24
81	Rabbits killing birds revisited. <i>Mathematical Biosciences</i> , 2006, 203, 100-123.	1.9	24
82	A data-motivated density-dependent diffusion model of in vitro glioblastoma growth. <i>Mathematical Biosciences and Engineering</i> , 2015, 12, 1157-1172.	1.9	24
83	Monotonic and Oscillatory Solutions of a Linear Neutral Delay Equation with Infinite Lag. <i>SIAM Journal on Mathematical Analysis</i> , 1990, 21, 1633-1641.	1.9	23
84	Strictly Nonautonomous Cooperative System with a First Integral. <i>SIAM Journal on Mathematical Analysis</i> , 1993, 24, 1331-1339.	1.9	23
85	Global Analysis for an HIV Infection Model with CTL Immune Response and Infected Cells in Eclipse Phase. <i>Applied Sciences (Switzerland)</i> , 2017, 7, 861.	2.5	23
86	Predictability and identifiability assessment of models for prostate cancer under androgen suppression therapy. <i>Mathematical Biosciences and Engineering</i> , 2019, 16, 3512-3536.	1.9	23
87	Global stability of infection-free state and endemic infection state of a modified human immunodeficiency virus infection model. <i>IET Systems Biology</i> , 2015, 9, 95-103.	1.5	21
88	Tumour-Immune Dynamics with an Immune Checkpoint Inhibitor. <i>Letters in Biomathematics</i> , 2018, 5, .	0.1	21
89	Global dynamics of a model of joint hormone treatment with dendritic cell vaccine for prostate cancer. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2017, 22, 1001-1021.	0.9	21
90	Modeling the interaction of cytotoxic T lymphocytes and influenza virus infected epithelial cells. <i>Mathematical Biosciences and Engineering</i> , 2010, 7, 171-185.	1.9	21

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91	Global dynamics in a stoichiometric food chain model with two limiting nutrients. <i>Mathematical Biosciences</i> , 2017, 289, 9-19.	1.9	20
92	Host Extinction Dynamics in a Simple Parasite-Host Interaction Model. <i>Mathematical Biosciences and Engineering</i> , 2005, 2, 743-751.	1.9	20
93	Modeling and analysis of stoichiometric two-patch consumer–resource systems. <i>Mathematical Biosciences</i> , 2004, 189, 153-184.	1.9	19
94	Dynamics for a non-autonomous predator-prey system with generalist predator. <i>Journal of Mathematical Analysis and Applications</i> , 2020, 485, 123820.	1.0	19
95	Stability and bifurcation of a stage-structured predator–prey model with both discrete and distributed delays. <i>Chaos, Solitons and Fractals</i> , 2013, 46, 19-27.	5.1	18
96	Quiescence as an explanation of Gompertzian tumor growth revisited. <i>Mathematical Biosciences</i> , 2014, 254, 76-82.	1.9	18
97	Dynamics of a neutral delay equation for an insect population with long larval and short adult phases. <i>Journal of Differential Equations</i> , 2009, 246, 4653-4669.	2.2	17
98	Mathematical models of the interrelated dynamics of hepatitis D and B. <i>Mathematical Biosciences</i> , 2014, 247, 38-46.	1.9	17
99	Qualitative analysis of a nonautonomous nonlinear delay differential equation. <i>Tohoku Mathematical Journal</i> , 1991, 43, 509.	0.2	16
100	Convergence in Lotka-Volterra type diffusive delay systems without dominating instantaneous negative feedbacks. <i>Journal of the Australian Mathematical Society Series B Applied Mathematics</i> , 1993, 34, 471-494.	0.2	16
101	Sharp conditions for oscillations in some nonlinear nonautonomous delay differential equations. <i>Nonlinear Analysis: Theory, Methods & Applications</i> , 1997, 29, 1265-1276.	1.1	16
102	Study on a non-autonomous predator–prey system with Beddington–DeAngelis functional response. <i>Mathematical and Computer Modelling</i> , 2008, 48, 1755-1764.	2.0	16
103	Traveling Waves of a Go-or-Grow Model of Glioma Growth. <i>SIAM Journal on Applied Mathematics</i> , 2018, 78, 1778-1801.	1.8	16
104	Two-Species Competition with High Dispersal: The Winning Strategy. <i>Mathematical Biosciences and Engineering</i> , 2005, 2, 345-362.	1.9	16
105	Oscillatory dynamics of an intravenous glucose tolerance test model with delay interval. <i>Chaos</i> , 2017, 27, 114324.	2.5	15
106	Dynamics of a stoichiometric discrete producer-grazer model. <i>Journal of Difference Equations and Applications</i> , 2005, 11, 347-364.	1.1	14
107	Modeling Refuge Effect of Submerged Macrophytes in Lake System. <i>Bulletin of Mathematical Biology</i> , 2016, 78, 662-694.	1.9	14
108	Impact of disposing stray dogs on risk assessment and control of Echinococcosis in Inner Mongolia. <i>Mathematical Biosciences</i> , 2018, 299, 85-96.	1.9	13

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109	Daphnia species invasion, competitive exclusion, and chaotic coexistence. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2009, 12, 481-493.	0.9	13
110	Explicit Separation of Growth and Motility in a New Tumor Cord Model. <i>Bulletin of Mathematical Biology</i> , 2009, 71, 585-601.	1.9	12
111	Spreading speeds and traveling wave solutions in cooperative integral-differential systems. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2015, 20, 1663-1684.	0.9	12
112	Dynamic modeling and optimal control of cystic echinococcosis. <i>Infectious Diseases of Poverty</i> , 2021, 10, 38.	3.7	12
113	Stoichiometric Ecotoxicology for a Multisubstance World. <i>BioScience</i> , 2021, 71, 132-147.	4.9	12
114	Biological stoichiometry of tumor dynamics: Mathematical models and analysis. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2003, 4, 221-240.	0.9	12
115	Effect of seasonal changing temperature on the growth of phytoplankton. <i>Mathematical Biosciences and Engineering</i> , 2017, 14, 1091-1117.	1.9	12
116	Dynamics and implications of models for intermittent androgen suppression therapy. <i>Mathematical Biosciences and Engineering</i> , 2019, 16, 187-204.	1.9	12
117	Convergence in Lotka-Volterra-type delay systems without instantaneous feedbacks. <i>Proceedings of the Royal Society of Edinburgh Section A: Mathematics</i> , 1993, 123, 45-58.	1.2	11
118	The Impact of Intermittent Androgen Suppression Therapy in Prostate Cancer Modeling. <i>Applied Sciences (Switzerland)</i> , 2019, 9, 36.	2.5	11
119	Stability and Bifurcation in a Stoichiometric Producer-Grazer Model with Knife Edge. <i>SIAM Journal on Applied Dynamical Systems</i> , 2016, 15, 2051-2077.	1.6	10
120	Dynamics of acute hepatitis B virus infection in chimpanzees. <i>Mathematics and Computers in Simulation</i> , 2014, 96, 157-170.	4.4	9
121	On the location and period of limit cycles in Gause-type predator-prey systems. <i>Journal of Mathematical Analysis and Applications</i> , 1989, 142, 130-143.	1.0	8
122	A simple spatiotemporal rabies model for skunk and bat interaction in northeast Texas. <i>Journal of Theoretical Biology</i> , 2012, 314, 16-22.	1.7	8
123	Modeling the dynamics of epidemic spreading on homogenous and heterogeneous networks. <i>Applicable Analysis</i> , 2015, 94, 2308-2330.	1.3	8
124	Nonoccurrence of stability switching in systems of differential equations with distributed delays. <i>Quarterly of Applied Mathematics</i> , 1994, 52, 569-578.	0.7	7
125	Global stability and persistence in diffusive food chains. <i>ANZIAM Journal</i> , 2001, 43, 247-268.	0.2	7
126	DYNAMICS OF A DISCRETE STOICHIOMETRIC TWO PREDATORS ONE PREY MODEL. <i>Journal of Biological Systems</i> , 2010, 18, 649-667.	1.4	7

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127	Adaptive evolution of foraging-related trait in intraguild predation system. <i>Mathematical Biosciences</i> , 2016, 274, 1-11.	1.9	7
128	Analysis of tumor-immune dynamics in a delayed dendritic cell therapy model. <i>Chaos</i> , 2020, 30, 113108.	2.5	7
129	The dynamics of a stoichiometric plant-herbivore model and its discrete analog. <i>Mathematical Biosciences and Engineering</i> , 2007, 4, 29-46.	1.9	7
130	An epidemic model with post-contact prophylaxis of distributed length l . Thresholds for disease persistence and extinction. <i>Journal of Biological Dynamics</i> , 2008, 2, 221-239.	1.7	6
131	Necessary and Sufficient Conditions for Global Attractivity of Hopfield-Type Neural Networks with Time Delays. <i>Rocky Mountain Journal of Mathematics</i> , 2008, 38, .	0.4	6
132	Modeling the synergistic properties of drugs in hormonal treatment for prostate cancer. <i>Journal of Theoretical Biology</i> , 2021, 514, 110570.	1.7	6
133	Data and implication based comparison of two chronic myeloid leukemia models. <i>Mathematical Biosciences and Engineering</i> , 2013, 10, 1501-1518.	1.9	6
134	NUMERICAL SOLUTION OF A MODEL FOR BRAIN CANCER PROGRESSION AFTER THERAPY. <i>Mathematical Modelling and Analysis</i> , 2009, 14, 43-56.	1.5	5
135	Can fractional differentiation improve stability results and data fitting ability of a prostate cancer model under intermittent androgen suppression therapy?. <i>Chaos, Solitons and Fractals</i> , 2020, 131, 109529.	5.1	5
136	Tumor Control, Elimination, and Escape through a Compartmental Model of Dendritic Cell Therapy for Melanoma. <i>SIAM Journal on Applied Mathematics</i> , 2020, 80, 906-928.	1.8	5
137	Fluctuation and extinction dynamics in host-microparasite systems. <i>Communications on Pure and Applied Analysis</i> , 2011, 10, 1537-1548.	0.8	5
138	Nutrient limitations as an explanation of Gompertzian tumor growth. <i>Discrete and Continuous Dynamical Systems - Series B</i> , 2015, 21, 357-372.	0.9	5
139	Notes on the stability of dynamic economic systems. <i>Applied Mathematics and Computation</i> , 2000, 108, 85-89.	2.2	4
140	Simple multi-scale modeling of the transmission dynamics of the 1905 plague epidemic in Bombay. <i>Mathematical Biosciences</i> , 2018, 301, 83-92.	1.9	4
141	Effects of nutrient enrichment on coevolution of a stoichiometric producer-grazer system. <i>Mathematical Biosciences and Engineering</i> , 2014, 11, 841-875.	1.9	4
142	Finiteness of limit cycles in planar autonomous systems. <i>Applicable Analysis</i> , 1989, 32, 253-264.	1.3	3
143	Adaptive evolution of body size subject to indirect effect in trophic cascade system. <i>BioSystems</i> , 2017, 159, 23-35.	2.0	3
144	Stoichiometric Modeling of Aboveground–Belowground Interaction of Herbaceous Plant and Two Herbivores. <i>Bulletin of Mathematical Biology</i> , 2020, 82, 107.	1.9	3

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145	Mathematics + Cancer: An Undergraduate "Bridge" Course in Applied Mathematics. SIAM Review, 2020, 62, 244-263.	9.5	3
146	Global Dynamics and Implications of an HBV Model with Proliferating Infected Hepatocytes. Applied Sciences (Switzerland), 2021, 11, 8176.	2.5	3
147	Dynamics and growth rate implications of ribosomes and mRNAs interaction in E. coli. Heliyon, 2022, 8, e09820.	3.2	3
148	Impact of Population Recruitment on the HIV Epidemics and the Effectiveness of HIV Prevention Interventions. Bulletin of Mathematical Biology, 2016, 78, 2057-2090.	1.9	2
149	The Impact of Fractional Differentiation in Terms of Fitting for a Prostate Cancer Model Under Intermittent Androgen Suppression Therapy. Forum for Interdisciplinary Mathematics, 2020, , 151-197.	1.6	2
150	Novel dynamics of a simple Daphnia-microparasite model with dose-dependent infection. Discrete and Continuous Dynamical Systems - Series S, 2011, 4, 1599-1610.	1.1	2
151	Alternative models for cyclic lemming dynamics. Mathematical Biosciences and Engineering, 2007, 4, 85-99.	1.9	2
152	A mathematical model of the dynamics for anti-HBV infection treatment with Peginterferon Alfa-2a. , 2008, , .		1
153	Assessing the Public Health Impact of HIV Interventions. Journal of Acquired Immune Deficiency Syndromes (1999), 2014, 66, e60-e62.	2.1	1
154	EFFECT OF TEMPERATURE ON ADAPTIVE EVOLUTION OF PHYTOPLANKTON CELL SIZE. Journal of Applied Analysis and Computation, 2020, 10, 2644-2658.	0.5	1
155	A SIMPLE SI MODEL WITH TWO AGE GROUPS AND ITS APPLICATION TO US HIV EPIDEMICS: TO TREAT OR NOT TO TREAT?. Journal of Biological Systems, 2007, 15, 169-184.	1.4	0
156	Preface for the Special Issue on Dynamical Models of Biology and Medicine. Applied Sciences (Switzerland), 2019, 9, 2380.	2.5	0
157	Editorial. Journal of Biological Dynamics, 2021, 15, S1-S2.	1.7	0
158	Stoichiometric producer-grazer models with varying nitrogen pools and ammonia toxicity. Discrete and Continuous Dynamical Systems - Series S, 2014, 7, 1305-1320.	1.1	0
159	Tumor growth dynamics with nutrient limitation and cell proliferation time delay. Discrete and Continuous Dynamical Systems - Series B, 2017, 22, 3771-3782.	0.9	0
160	Learning Biological Dynamics From Spatio-Temporal Data by Gaussian Processes. Bulletin of Mathematical Biology, 2022, 84, .	1.9	0