Mohammad Hossein Heydari

List of Publications by Year in descending order

Source: https://exaly.com/author-pdf/844270/publications.pdf Version: 2024-02-01



| # | Article | IF | CITATIONS |
|----|---|-----|-----------|
| 1 | Legendre wavelets method for solving fractional partial differential equations with Dirichlet boundary conditions. Applied Mathematics and Computation, 2014, 234, 267-276. | 2.2 | 105 |
| 2 | Wavelets method for solving systems of nonlinear singular fractional Volterra integro-differential equations. Communications in Nonlinear Science and Numerical Simulation, 2014, 19, 37-48. | 3.3 | 105 |
| 3 | Principal component analysis to study the relations between the spread rates of COVID-19 in high risks countries. AEJ - Alexandria Engineering Journal, 2021, 60, 457-464. | 6.4 | 104 |
| 4 | Wavelets method for solving fractional optimal control problems. Applied Mathematics and Computation, 2016, 286, 139-154. | 2.2 | 92 |
| 5 | Wavelets method for the time fractional diffusion-wave equation. Physics Letters, Section A: General, Atomic and Solid State Physics, 2015, 379, 71-76. | 2.1 | 91 |
| 6 | A meshless method for solving two-dimensional variable-order time fractional advection–diffusion equation. Journal of Computational Physics, 2017, 340, 655-669. | 3.8 | 84 |
| 7 | A new approach of the Chebyshev wavelets method for partial differential equations with boundary conditions of the telegraph type. Applied Mathematical Modelling, 2014, 38, 1597-1606. | 4.2 | 79 |
| 8 | A computational method for solving stochastic Itô–Volterra integral equations based on stochastic operational matrix for generalized hat basis functions. Journal of Computational Physics, 2014, 270, 402-415. | 3.8 | 75 |
| 9 | Two-dimensional Legendre wavelets for solving fractional Poisson equation with Dirichlet boundary conditions. Engineering Analysis With Boundary Elements, 2013, 37, 1331-1338. | 3.7 | 70 |
| 10 | Chebyshev cardinal wavelets and their application in solving nonlinear stochastic differential equations with fractional Brownian motion. Communications in Nonlinear Science and Numerical Simulation, 2018, 64, 98-121. | 3.3 | 64 |
| 11 | A new Wavelet Method for Variableâ€Order Fractional Optimal Control Problems. Asian Journal of Control, 2018, 20, 1804-1817. | 3.0 | 64 |
| 12 | A new direct method based on the Chebyshev cardinal functions for variable-order fractional optimal control problems. Journal of the Franklin Institute, 2018, 355, 4970-4995. | 3.4 | 60 |
| 13 | A cardinal approach for nonlinear variable-order time fractional Schr¶dinger equation defined by Atangana–Baleanu–Caputo derivative. Chaos, Solitons and Fractals, 2019, 128, 339-348. | 5.1 | 59 |
| 14 | A wavelet approach for solving multi-term variable-order time fractional diffusion-wave equation. Applied Mathematics and Computation, 2019, 341, 215-228. | 2.2 | 57 |
| 15 | Modeling and forecasting the spread and death rate of coronavirus (COVID-19) in the world using time series models. Chaos, Solitons and Fractals, 2020, 140, 110151. | 5.1 | 57 |
| 16 | An efficient computational method for solving nonlinear stochastic Itô integral equations: Application for stochastic problems in physics. Journal of Computational Physics, 2015, 283, 148-168. | 3.8 | 51 |
| 17 | A computational method for solving variable-order fractional nonlinear diffusion-wave equation. Applied Mathematics and Computation, 2019, 352, 235-248. | 2.2 | 51 |
| 18 | A meshless method for solving the time fractional advection–diffusion equation with variable coefficients. Computers and Mathematics With Applications, 2018, 75, 122-133. | 2.7 | 50 |

| # | Article | IF | CITATIONS |
|----|---|-----|-----------|
| 19 | Chebyshev cardinal wavelets for nonlinear stochastic differential equations driven with variable-order fractional Brownian motion. Chaos, Solitons and Fractals, 2019, 124, 105-124. | 5.1 | 50 |
| 20 | Legendre wavelets optimization method for variable-order fractional Poisson equation. Chaos, Solitons and Fractals, 2018, 112, 180-190. | 5.1 | 49 |
| 21 | A computational wavelet method for variable-order fractional model of dual phase lag bioheat equation. Journal of Computational Physics, 2019, 395, 1-18. | 3.8 | 44 |
| 22 | A meshfree approach for solving 2D variable-order fractional nonlinear diffusion-wave equation. Computer Methods in Applied Mechanics and Engineering, 2019, 350, 154-168. | 6.6 | 42 |
| 23 | A comprehensive numerical study of space-time fractional bioheat equation using fractional-order Legendre functions. European Physical Journal Plus, 2018, 133, 1. | 2.6 | 41 |
| 24 | Meshfree moving least squares method for nonlinear variable-order time fractional 2D telegraph equation involving Mittag–Leffler non-singular kernel. Chaos, Solitons and Fractals, 2019, 127, 389-399. | 5.1 | 41 |
| 25 | Two-Dimensional Legendre Wavelets for Solving Time-Fractional Telegraph Equation. Advances in Applied Mathematics and Mechanics, 2014, 6, 247-260. | 1.2 | 40 |
| 26 | Legendre wavelets Galerkin method for solving nonlinear stochastic integral equations. Nonlinear Dynamics, 2016, 85, 1185-1202. | 5.2 | 40 |
| 27 | A new method to compare the spectral densities of two independent periodically correlated time series. Mathematics and Computers in Simulation, 2019, 160, 103-110. | 4.4 | 40 |
| 28 | Chebyshev cardinal functions for a new class of nonlinear optimal control problems generated by Atangana–Baleanu–Caputo variable-order fractional derivative. Chaos, Solitons and Fractals, 2020, 130, 109401. | 5.1 | 40 |
| 29 | Chebyshev polynomials for generalized Couette flow of fractional Jeffrey nanofluid subjected to several thermochemical effects. Engineering With Computers, 2021, 37, 579-595. | 6.1 | 39 |
| 30 | Wavelets Galerkin method for solving stochastic heat equation. International Journal of Computer Mathematics, 2016, 93, 1579-1596. | 1.8 | 38 |
| 31 | Wavelet Collocation Method for Solving Multiorder Fractional Differential Equations. Journal of Applied Mathematics, 2012, 2012, 1-19. | 0.9 | 37 |
| 32 | An operational matrix method for solving variable-order fractional biharmonic equation. Computational and Applied Mathematics, 2018, 37, 4397-4411. | 1.3 | 37 |
| 33 | Legendre wavelets for the numerical solution of nonlinear variable-order time fractional 2D reaction-diffusion equation involving Mittag–Leffler non-singular kernel. Chaos, Solitons and Fractals, 2019, 127, 400-407. | 5.1 | 37 |
| 34 | Testing the difference between spectral densities of two independent periodically correlated (cyclostationary) time series models. Communications in Statistics - Theory and Methods, 2019, 48, 2320-2328. | 1.0 | 37 |
| 35 | On the asymptotic distribution for the periodograms of almost periodically correlated (cyclostationary) processes. , 2018, 81, 186-197. | | 36 |
| 36 | An efficient computational method for solving fractional biharmonic equation. Computers and Mathematics With Applications, 2014, 68, 269-287. | 2.7 | 35 |

| # | Article | IF | CITATIONS |
|----|---|-----|-----------|
| 37 | Numerical solution of nonlinear 2D optimal control problems generated by Atangana-Riemann-Liouville fractal-fractional derivative. Applied Numerical Mathematics, 2020, 150, 507-518. | 2.1 | 35 |
| 38 | Numerical solution of fractional sub-diffusion and time-fractional diffusion-wave equations via fractional-order Legendre functions. European Physical Journal Plus, 2016, 131, 1. | 2.6 | 34 |
| 39 | Two-Dimensional Legendre Wavelets for Solving Variable-Order Fractional Nonlinear Advection-Diffusion Equation with Variable Coefficients. International Journal of Nonlinear Sciences and Numerical Simulation, 2018, 19, 793-802. | 1.0 | 34 |
| 40 | A wavelet method to solve nonlinear variable-order time fractional 2D Klein–Gordon equation. Computers and Mathematics With Applications, 2019, 78, 3713-3730. | 2.7 | 31 |
| 41 | A fractional viscoelastic model for vibrational analysis of thin plate excited by supports movement. Mechanics Research Communications, 2020, 110, 103618. | 1.8 | 31 |
| 42 | A direct method based on the Chebyshev polynomials for a new class of nonlinear variable-order fractional 2D optimal control problems. Journal of the Franklin Institute, 2019, 356, 8216-8236. | 3.4 | 30 |
| 43 | Goodness of fit test for almost cyclostationary processes. , 2020, 96, 102597. | | 29 |
| 44 | Legendre Wavelets Method for Solving Fractional Population Growth Model in a Closed System. Mathematical Problems in Engineering, 2013, 2013, 1-8. | 1.1 | 27 |
| 45 | Orthonormal shifted discrete Legendre polynomials for solving a coupled system of nonlinear variable-order time fractional reaction-advection-diffusion equations. Applied Numerical Mathematics, 2021, 161, 425-436. | 2.1 | 26 |
| 46 | Chebyshev cardinal wavelets for nonlinear variable-order fractional quadratic integral equations. Applied Numerical Mathematics, 2019, 144, 190-203. | 2.1 | 25 |
| 47 | Numerical treatment of the strongly coupled nonlinear fractal-fractional SchrĶdinger equations through the shifted Chebyshev cardinal functions. AEJ - Alexandria Engineering Journal, 2020, 59, 2037-2052. | 6.4 | 25 |
| 48 | An operational matrix method for nonlinear variable-order time fractional reaction–diffusion equation involving Mittag-Leffler kernel. European Physical Journal Plus, 2020, 135, 1. | 2.6 | 25 |
| 49 | SARS-CoV-2 rate of spread in and across tissue, groundwater and soil: A meshless algorithm for the fractional diffusion equation. Engineering Analysis With Boundary Elements, 2022, 138, 108-117. | 3.7 | 25 |
| 50 | A wavelet approach for the multi-term time fractional diffusion-wave equation. International Journal of Computer Mathematics, 2019, 96, 640-661. | 1.8 | 24 |
| 51 | Chebyshev Wavelets Method for Solution of Nonlinear Fractional Integrodifferential Equations in a Large Interval. Advances in Mathematical Physics, 2013, 2013, 1-12. | 0.8 | 23 |
| 52 | A new variable-order fractional derivative with non-singular Mittag–Leffler kernel: application to variable-order fractional version of the 2D Richard equation. Engineering With Computers, 2020, , 1. | 6.1 | 23 |
| 53 | Numerical study of unsteady natural convection of variable-order fractional Jeffrey nanofluid over an oscillating plate in a porous medium involved with magnetic, chemical and heat absorption effects using Chebyshev cardinal functions. European Physical Journal Plus, 2019, 134, 1. | 2.6 | 22 |
| 54 | Piecewise Chebyshev cardinal functions: Application for constrained fractional optimal control problems. Chaos, Solitons and Fractals, 2021, 150, 111118. | 5.1 | 21 |

| # | Article | IF | CITATIONS |
|----|--|------|-----------|
| 55 | An optimization method based on the generalized Lucas polynomials for variable-order space-time fractional mobile-immobile advection-dispersion equation involving derivatives with non-singular kernels. Chaos, Solitons and Fractals, 2020, 132, 109588. | 5.1 | 20 |
| 56 | Dynamics of respiratory droplets carrying SARS-CoV-2 virus in closed atmosphere. Results in Physics, 2020, 19, 103482. | 4.1 | 20 |
| 57 | A new operational matrix of fractional order integration for the Chebyshev wavelets and its application for nonlinear fractional Van der Pol oscillator equation. Proceedings of the Indian Academy of Sciences: Mathematical Sciences, 2018, 128, 1. | 0.1 | 19 |
| 58 | Legendre wavelets for fractional partial integro-differential viscoelastic equations with weakly singular kernels⋆. European Physical Journal Plus, 2019, 134, 1. | 2.6 | 19 |
| 59 | An Optimization Wavelet Method for Multi Variable-order Fractional Differential Equations. Fundamenta Informaticae, 2017, 151, 255-273. | 0.4 | 18 |
| 60 | A computational method for solving twoâ€dimensional nonlinear variableâ€order fractional optimal control problems. Asian Journal of Control, 2020, 22, 1112-1126. | 3.0 | 18 |
| 61 | NUMERICAL TREATMENT OF THE SPACE–TIME FRACTAL–FRACTIONAL MODEL OF NONLINEAR ADVECTION–DIFFUSION–REACTION EQUATION THROUGH THE BERNSTEIN POLYNOMIALS. Fractals, 2020, 2 2040001. | 83.7 | 18 |
| 62 | New formulation of the orthonormal Bernoulli polynomials for solving the variable-order time fractional coupled Boussinesq–Burger's equations. Engineering With Computers, 2021, 37, 3509-3517. | 6.1 | 17 |
| 63 | Numerical solution of nonlinear fractalâ€fractional optimal control problems by Legendre polynomials. Mathematical Methods in the Applied Sciences, 2021, 44, 2952-2963. | 2.3 | 17 |
| 64 | An efficient computational method based on the hat functions for solving fractional optimal control problems. Tbilisi Mathematical Journal, 2016, 9, . | 0.3 | 16 |
| 65 | Chebyshev polynomials for the numerical solution of fractal–fractional model of nonlinear Ginzburg–Landau equation. Engineering With Computers, 2021, 37, 1377-1388. | 6.1 | 16 |
| 66 | Numerical study of non-singular variable-order time fractional coupled Burgers' equations by using the Hahn polynomials. Engineering With Computers, 2022, 38, 101-110. | 6.1 | 15 |
| 67 | Numerical study of the variable-order fractional version of the nonlinear fourth-order 2D diffusion-wave equation via 2D Chebyshev wavelets. Engineering With Computers, 2021, 37, 3319-3328. | 6.1 | 15 |
| 68 | A cardinal method to solve coupled nonlinear variable-order time fractional sine-Gordon equations. Computational and Applied Mathematics, 2020, 39, 1. | 2.2 | 14 |
| 69 | An approximate approach for the generalized variable-order fractional pantograph equation. AEJ - Alexandria Engineering Journal, 2020, 59, 2347-2354. | 6.4 | 14 |
| 70 | A meshless method to solve nonlinear variable-order time fractional 2D reaction–diffusion equation involving Mittag-Leffler kernel. Engineering With Computers, 2021, 37, 731-743. | 6.1 | 14 |
| 71 | A hybrid method based on the orthogonal Bernoulli polynomials and radial basis functions for variable order fractional reaction-advection-diffusion equation. Engineering Analysis With Boundary Elements, 2021, 127, 18-28. | 3.7 | 14 |
| 72 | A numerical approach for a class of nonlinear optimal control problems with piecewise fractional derivative. Chaos, Solitons and Fractals, 2021, 152, 111465. | 5.1 | 14 |

| # | Article | IF | CITATIONS |
|----|--|-----|-----------|
| 73 | A meshless approach for solving nonlinear variable-order time fractional 2D Ginzburg-Landau equation. Engineering Analysis With Boundary Elements, 2020, 120, 166-179. | 3.7 | 13 |
| 74 | Chebyshev–Gauss–Lobatto collocation method for variable-order time fractional generalized Hirota–Satsuma coupled KdV system. Engineering With Computers, 2022, 38, 1835-1844. | 6.1 | 13 |
| 75 | Numerical study of nonlinear 2D optimal control problems with multi-term variable-order fractional derivatives in the Atangana-Baleanu-Caputo sense. Chaos, Solitons and Fractals, 2020, 134, 109695. | 5.1 | 13 |
| 76 | Fuzzy clustering to classify several regression models with fractional Brownian motion errors. AEJ - Alexandria Engineering Journal, 2020, 59, 2811-2818. | 6.4 | 12 |
| 77 | THE NUMERICAL TREATMENT OF NONLINEAR FRACTAL–FRACTIONAL 2D EMDEN–FOWLER EQUATION UTILIZING 2D CHELYSHKOV POLYNOMIALS. Fractals, 2020, 28, 2040042. | 3.7 | 12 |
| 78 | Orthonormal Bernstein polynomials for solving nonlinear variableâ€order time fractional fourthâ€order diffusionâ€wave equation with nonsingular fractional derivative. Mathematical Methods in the Applied Sciences, 2021, 44, 3098-3110. | 2.3 | 12 |
| 79 | An efficient meshless method based on the moving Kriging interpolation for twoâ€dimensional variableâ€order time fractional mobile/immobile advectionâ€diffusion model. Mathematical Methods in the Applied Sciences, 2021, 44, 3182-3194. | 2.3 | 12 |
| 80 | Optimal control of hyperthermia thermal damage based on tumor configuration. Results in Physics, 2021, 23, 103992. | 4.1 | 12 |
| 81 | Numerical solution of variable-order space-time fractional KdV–Burgers–Kuramoto equation by using discrete Legendre polynomials. Engineering With Computers, 2022, 38, 859-869. | 6.1 | 11 |
| 82 | A computational method for a class of systems of nonlinear variable-order fractional quadratic integral equations. Applied Numerical Mathematics, 2020, 153, 164-178. | 2.1 | 11 |
| 83 | An efficient wavelet-based approximation method for the coupled nonlinear fractal–fractional 2D Schrödinger equations. Engineering With Computers, 2021, 37, 2129. | 6.1 | 11 |
| 84 | A numerical method based on the Chebyshev cardinal functions for variableâ€order fractional version of the fourthâ€order 2D Kuramotoâ€Sivashinsky equation. Mathematical Methods in the Applied Sciences, 2021, 44, 1831-1842. | 2.3 | 11 |
| 85 | Vieta-Lucas polynomials for the coupled nonlinear variable-order fractional Ginzburg-Landau equations. Applied Numerical Mathematics, 2021, 165, 442-458. | 2.1 | 11 |
| 86 | Discrete Chebyshev polynomials for nonsingular variableâ€order fractional KdV Burgers' equation. Mathematical Methods in the Applied Sciences, 2021, 44, 2158-2170. | 2.3 | 11 |
| 87 | Moving Least Squares (MLS) Method for the Nonlinear Hyperbolic Telegraph Equation with Variable Coefficients. International Journal of Computational Methods, 2017, 14, 1750026. | 1.3 | 10 |
| 88 | An accurate approach based on the orthonormal shifted discrete Legendre polynomials for variable-order fractional Sobolev equation. Advances in Difference Equations, 2021, 2021, . | 3.5 | 10 |
| 89 | Wavelets Galerkin Method for the Fractional Subdiffusion Equation. Journal of Computational and Nonlinear Dynamics, 2016, 11, . | 1.2 | 9 |
| 90 | Wavelets method for solving nonlinear stochastic Itô–Volterra integral equations. Georgian Mathematical Journal, 2020, 27, 81-95. | 0.6 | 9 |

| # | Article | IF | CITATIONS |
|-----|---|-----|-----------|
| 91 | Orthonormal shifted discrete Chebyshev polynomials: Application for a fractal-fractional version of the coupled Schrödinger-Boussinesq system. Chaos, Solitons and Fractals, 2021, 143, 110570. | 5.1 | 9 |
| 92 | A meshless technique based on the moving least squares shape functions for nonlinear fractal-fractional advection-diffusion equation. Engineering Analysis With Boundary Elements, 2021, 127, 8-17. | 3.7 | 9 |
| 93 | A new class of orthonormal basis functions: application for fractional optimal control problems. International Journal of Systems Science, 2022, 53, 240-252. | 5.5 | 9 |
| 94 | Orthonormal piecewise Bernoulli functions: Application for optimal control problems generated using fractional integro-differential equations. JVC/Journal of Vibration and Control, 2023, 29, 1164-1175. | 2.6 | 9 |
| 95 | Chebyshev wavelets operational matrices for solving nonlinear variable-order fractional integral equations. Advances in Difference Equations, 2020, 2020, . | 3.5 | 8 |
| 96 | Vieta–Fibonacci wavelets: Application in solving fractional pantograph equations. Mathematical Methods in the Applied Sciences, 2022, 45, 411-422. | 2.3 | 8 |
| 97 | A hybrid method for solving time fractional advection–diffusion equation on unbounded space domain. Advances in Difference Equations, 2020, 2020, . | 3.5 | 8 |
| 98 | Orthonormal shifted discrete Legendre polynomials for the variable-order fractional extended Fisher–Kolmogorov equation. Chaos, Solitons and Fractals, 2022, 155, 111729. | 5.1 | 8 |
| 99 | An Efficient Method for the Numerical Solution of a Class of Nonlinear Fractional Fredholm Integro-Differential Equations. International Journal of Nonlinear Sciences and Numerical Simulation, 2018, 19, 165-173. | 1.0 | 7 |
| 100 | A direct computational method for nonlinear variableâ€order fractional delay optimal control problems. Asian Journal of Control, 2021, 23, 2709-2718. | 3.0 | 7 |
| 101 | A Meshless Solution for the Variable-Order Time Fractional Nonlinear Klein–Gordon Equation. International Journal of Applied and Computational Mathematics, 2020, 6, 1. | 1.6 | 7 |
| 102 | A numerical method for variableâ€order fractional version of the coupled 2D Burgers equations by the 2D Chelyshkov polynomials. Mathematical Methods in the Applied Sciences, 2021, 44, 6482-6499. | 2.3 | 7 |
| 103 | Highly accurate solutions for space–time fractional Schrödinger equations with non-smooth continuous solution using the hybrid clique functions. Mathematical Sciences, 2023, 17, 31-42. | 1.7 | 7 |
| 104 | Extended Chebyshev cardinal wavelets for nonlinear fractional delay optimal control problems. International Journal of Systems Science, 2022, 53, 1048-1067. | 5.5 | 7 |
| 105 | A hybrid approach established upon the Müntzâ€Legender functions and 2D Müntzâ€Legender wavelets for fractional Sobolev equation. Mathematical Methods in the Applied Sciences, 2022, 45, 5304-5320. | 2.3 | 7 |
| 106 | A numerical method for nonlinear fractional reaction–advection–diffusion equation with piecewise fractional derivative. Mathematical Sciences, 2023, 17, 169-181. | 1.7 | 7 |
| 107 | A new wavelet method for solving the Helmholtz equation with complex solution. Numerical Methods for Partial Differential Equations, 2016, 32, 741-756. | 3.6 | 6 |
| 108 | Jacobi spectral method for variable-order fractional Benney–Lin equation arising in falling film problems. Journal of Computational and Applied Mathematics, 2022, 402, 113813. | 2.0 | 6 |

| # | Article | IF | CITATIONS |
|-----|--|-----|-----------|
| 109 | Application of the extended Chebyshev cardinal wavelets in solving fractional optimal control problems with ABC fractional derivative. International Journal of Systems Science, 2022, 53, 2694-2708. | 5.5 | 6 |
| 110 | Chebyshev cardinal functions for a new class of nonlinear optimal control problems with dynamical systems of weakly singular variable-order fractional integral equations. JVC/Journal of Vibration and Control, 2020, 26, 713-723. | 2.6 | 5 |
| 111 | Taylor's series expansion method for nonlinear variable-order fractional 2D optimal control problems. AEJ - Alexandria Engineering Journal, 2020, 59, 4737-4743. | 6.4 | 5 |
| 112 | A wavelet method for nonlinear variable-order time fractional 2D Schrödinger equation. Discrete and Continuous Dynamical Systems - Series S, 2021, 14, 2273. | 1.1 | 5 |
| 113 | Jacobi–Gauss–Lobatto collocation approach for non-singular variable-order time fractional generalized Kuramoto–Sivashinsky equation. Engineering With Computers, 0, , 1. | 6.1 | 5 |
| 114 | A wavelet approach for the variable-order fractional model of ultra-short pulsed laser therapy. Engineering With Computers, 0, , 1. | 6.1 | 5 |
| 115 | Numerical investigation of variableâ€order fractional Benjamin–Bona–Mahony–Burgers equation using a pseudoâ€spectral method. Mathematical Methods in the Applied Sciences, 2021, 44, 8669-8683. | 2.3 | 5 |
| 116 | Orthonormal Bernoulli polynomials for space–time fractal-fractional modified Benjamin–Bona–Mahony type equations. Engineering With Computers, 2022, 38, 3483-3496. | 6.1 | 5 |
| 117 | A reliable algorithm to determine the pollution transport within underground reservoirs: implementation of an efficient collocation meshless method based on the moving Kriging interpolation. Engineering With Computers, 0, , 1. | 6.1 | 4 |
| 118 | Thirdâ€kind Chebyshev cardinal functions for variableâ€order time fractional RLWâ€Burgers equation. Mathematical Methods in the Applied Sciences, 2022, 45, 5670-5681. | 2.3 | 4 |
| 119 | An efficient iterative approach for three-dimensional modified anomalous fractional sub-diffusion equations on a large domain. Advances in Difference Equations, 2019, 2019, . | 3.5 | 3 |
| 120 | Wilson wavelets method for solving nonlinear fractional Fredholm–Hammerstein integro-differential equations. International Journal of Computer Mathematics, 2020, 97, 2165-2177. | 1.8 | 3 |
| 121 | Fibonacci polynomials for the numerical solution of variableâ€order spaceâ€time fractional Burgersâ€Huxley equation. Mathematical Methods in the Applied Sciences, 2021, 44, 6774-6786. | 2.3 | 3 |
| 122 | Shifted Jacobi polynomials for nonlinear singular variable-order time fractional Emden–Fowler equation generated by derivative with non-singular kernel. Advances in Difference Equations, 2021, 2021, . | 3.5 | 3 |
| 123 | An optimization method based on the Legendre wavelets for 3D rotating, squeezing and stretching magnetohydrodymanic flow in a channel with porous wall. Engineering With Computers, 2022, 38, 2583-2592. | 6.1 | 3 |
| 124 | A New Optimization Method Based on Generalized Polynomials for Fractional Differential Equations. Fundamenta Informaticae, 2017, 151, 443-457. | 0.4 | 2 |
| 125 | Two reliable computational methods pertaining to steady state substrate concentration of an immobilized enzyme system. AEJ - Alexandria Engineering Journal, 2018, 57, 2377-2385. | 6.4 | 2 |
| 126 | Shifted Vietaâ€Fibonacci polynomials for the fractalâ€fractional fifthâ€order KdV equation. Mathematical Methods in the Applied Sciences, 2021, 44, 6716-6730. | 2.3 | 2 |

| # | Article | IF | CITATIONS |
|-----|--|-----|-----------|
| 127 | Orthonormal shifted discrete Hahn polynomials for a new category of nonlinear variableâ€order fractional 2D optimal control problems. Asian Journal of Control, 0, , . | 3.0 | 2 |
| 128 | A hybrid wavelet-meshless method for variable-order fractional regularized long-wave equation. Engineering Analysis With Boundary Elements, 2022, 142, 61-70. | 3.7 | 2 |
| 129 | A hybrid method for variable-order fractional 2D optimal control problems on an unbounded domain. Engineering With Computers, 0, , 1. | 6.1 | 1 |
| 130 | An efficient wavelet method for nonlinear problems arising in heat transfer. Engineering With Computers, 0, , 1. | 6.1 | 1 |
| 131 | AN APPLICATION OF WILSON SYSTEM IN NUMERICAL SOLUTION OF FREDHOLM INTEGRAL EQUATIONS. Poincare Journal of Analysis and Applications, 2017, 04, 61-72. | 0.2 | 1 |
| 132 | Clustering of Infected Patients by COVID-19 Using Self-Organized Mapping and Extracting the Most Important Clinical Features. , 2020, , . | | 1 |
| 133 | An optimal variational iteration method for investigating the physical behavior of quasi-steady squeezing flow confined between parallel rigid walls. Physica Scripta, 2021, 96, 114012. | 2.5 | 0 |
| 134 | Reliable approach of iterative method for nonlinear fractional differential equations. International Journal of Physical Sciences, 2011, 6, . | 0.4 | 0 |
| 135 | Second Kind Chebyshev Wavelets for Solving the Variable-Order Space-Time Fractional Telegraph Equation. , 2020, , 63-85. | | 0 |