

# Frank Kutzschebauch

## List of Publications by Year in descending order

Source: <https://exaly.com/author-pdf/8269372/publications.pdf>

Version: 2024-02-01

46  
papers

498  
citations

840776

11  
h-index

839539

18  
g-index

47  
all docs

47  
docs citations

47  
times ranked

45  
citing authors

#	ARTICLE	IF	CITATIONS
1	Holomorphic Lie group actions on Danielewski surfaces. Complex Variables and Elliptic Equations, 2023, 68, 1801-1811.	0.8	0
2	Gromov's Oka Principle for Equivariant Maps. Journal of Geometric Analysis, 2020, 31, 6102.	1.0	3
3	Factorization of symplectic matrices into elementary factors. Proceedings of the American Mathematical Society, 2020, 148, 1963-1970.	0.8	4
4	Complete algebraic vector fields on affine surfaces. International Journal of Mathematics, 2020, 31, 2050018.	0.5	6
5	Embedding Riemann surfaces with isolated punctures into the complex plane. Proceedings of the American Mathematical Society, 2020, 148, 4831-4835.	0.8	1
6	Factorization by elementary matrices, null-homotopy and products of exponentials for invertible matrices over rings. Analysis and Mathematical Physics, 2019, 9, 1005-1018.	1.3	8
7	Exponential factorizations of holomorphic maps. Bulletin of the London Mathematical Society, 2019, 51, 995-1004.	0.8	5
8	Carleman approximation by holomorphic automorphisms of $\mathbb{A}^n$ . Journal Fur Die Reine Und Angewandte Mathematik, 2018, 2018, 131-148.	0.9	5
9	The fibred density property and the automorphism group of the spectral ball. Mathematische Annalen, 2018, 370, 917-936.	1.4	9
10	On subelliptic manifolds. Israel Journal of Mathematics, 2018, 228, 229-247.	0.8	8
11	An equivariant parametric Oka principle for bundles of homogeneous spaces. Mathematische Annalen, 2018, 370, 819-839.	1.4	5
12	SUFFICIENT CONDITIONS FOR HOLOMORPHIC LINEARISATION. Transformation Groups, 2017, 22, 475-485.	0.7	7
13	Algebraic (volume) density property for affine homogeneous spaces. Mathematische Annalen, 2017, 367, 1311-1332.	1.4	11
14	An Oka Principle for a Parametric Infinite Transitivity Property. Journal of Geometric Analysis, 2017, 27, 2018-2043.	1.0	7
15	The density property for Gizatullin surfaces completed by four rational curves. Proceedings of the American Mathematical Society, 2017, 145, 5097-5108.	0.8	7
16	Homotopy principles for equivariant isomorphisms. Transactions of the American Mathematical Society, 2017, 369, 7251-7300.	0.9	9
17	ON ALGEBRAIC VOLUME DENSITY PROPERTY. Transformation Groups, 2016, 21, 451-478.	0.7	13
18	The algebraic density property for affine toric varieties. Journal of Pure and Applied Algebra, 2015, 219, 3685-3700.	0.6	14

#	ARTICLE	IF	CITATIONS
19	An Oka principle for equivariant isomorphisms. Journal Fur Die Reine Und Angewandte Mathematik, 2015, 2015, 193-214.	0.9	8
20	Holomorphic Automorphisms of Danielewski Surfaces II: Structure of the Overshear Group. Journal of Geometric Analysis, 2015, 25, 1859-1889.	1.0	5
21	On the Density and the Volume Density Property. Springer Proceedings in Mathematics and Statistics, 2015, , 175-186.	0.2	8
22	Flexibility Properties in Complex Analysis and Affine Algebraic Geometry. Springer Proceedings in Mathematics and Statistics, 2014, , 387-405.	0.2	8
23	Holomorphic families of nonequivalent embeddings and of holomorphic group actions on affine space. Duke Mathematical Journal, 2013, 162, .	1.5	9
24	Infinite Transitivity on Affine Varieties. , 2013, , 1-13.		8
25	On the number of factors in the unipotent factorization of holomorphic mappings into $SL_2(\mathbb{C})$ . Proceedings of the American Mathematical Society, 2012, 140, 823-838.	0.8	9
26	Holomorphic factorization of mappings into $SL_n(\mathbb{C})$ . Annals of Mathematics, 2012, 175, 45-69.	4.2	24
27	On the present state of the Andersson-Lempert theory. CRM Proceedings & Lecture Notes, 2011, , 85-122.	0.1	25
28	Holomorphic automorphisms of Danielewski surfaces I: density of the group of overshears. Proceedings of the American Mathematical Society, 2011, 139, 3915-3927.	0.8	8
29	Algebraic volume density property of affine algebraic manifolds. Inventiones Mathematicae, 2010, 181, 605-647.	2.5	24
30	Embedding some Riemann surfaces into $\mathbb{C}^2$ with interpolation. Mathematische Zeitschrift, 2009, 262, 603-611.	0.9	12
31	Criteria for the density property of complex manifolds. Inventiones Mathematicae, 2008, 172, 71-87.	2.5	37
32	Embeddings through discrete sets of balls. Arkiv for Matematik, 2008, 46, 251-269.	0.5	3
33	A solution of Gromov's Vaserstein problem. Comptes Rendus Mathematique, 2008, 346, 1239-1243.	0.3	6
34	An interpolation theorem for proper holomorphic embeddings. Mathematische Annalen, 2007, 338, 545-554.	1.4	8
35	Density property for hypersurfaces $UV = P(X)$ . Mathematische Zeitschrift, 2007, 258, 115-131.	0.9	38
36	NON-EQUIVALENT EMBEDDINGS INTO COMPLEX EUCLIDEAN SPACES. International Journal of Mathematics, 2006, 17, 1033-1046.	0.5	15

#	ARTICLE	IF	CITATIONS
37	Some results on embedding Stein spaces with interpolation. Arkiv for Matematik, 2005, 43, 419-425.	0.5	5
38	ANDERSÅ%oNâ€“LEMPERT-THEORY WITH PARAMETERS: A REPRESENTATION THEORETIC POINT OF VIEW. Journal of Algebra and Its Applications, 2005, 04, 325-340.	0.4	12
39	Subvarieties of $\hat{\mathbb{A}}_{n,n}$ with non-extendable automorphisms. Journal Fur Die Reine Und Angewandte Mathematik, 1999, 1999, 213-235.	0.9	4
40	Subvarieties of $C_n$ with non-extendable autormorphisms. Journal Fur Die Reine Und Angewandte Mathematik, 1999, 1999, 213-235.	0.9	9
41	Nonlinearizable holomorphic group actions. Mathematische Annalen, 1998, 311, 41-53.	1.4	27
42	On the uniqueness of the analyticity of a proper $G$ -action. Manuscripta Mathematica, 1996, 90, 17-22.	0.6	8
43	Equivariant Affine Line Bundles and Linearization. Mathematical Research Letters, 1996, 3, 619-627.	0.5	8
44	An equivariant version of Grauert's Oka principle. Inventiones Mathematicae, 1995, 119, 317-346.	2.5	38
45	A Characterization of Linearizability for Holomorphic $\hat{\mathbb{A}}_{n,n}^*$ -Actions. International Mathematics Research Notices, 0, , .	1.0	2
46	LINEARIZATION OF HOLOMORPHIC FAMILIES OF ALGEBRAIC AUTOMORPHISMS OF THE AFFINE PLANE. Transformation Groups, 0, , 1.	0.7	0