

Marek Cuth

List of Publications by Year in descending order

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27

papers

173

citations

1307594

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1199594

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all docs

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docs citations

27

times ranked

59

citing authors

#	ARTICLE	IF	CITATIONS
1	On the structure of Lipschitz-free spaces. <i>Proceedings of the American Mathematical Society</i> , 2016, 144, 3833-3846.	0.8	36
2	Lipschitz-Free Spaces Over Ultrametric Spaces. <i>Mediterranean Journal of Mathematics</i> , 2016, 13, 1893-1906.	0.8	16
3	Separable reduction theorems by the method of elementary submodels. <i>Fundamenta Mathematicae</i> , 2012, 219, 191-222.	0.5	10
4	Asplund spaces characterized by rich families and separable reduction of FrÃ©chet subdifferentiability. <i>Journal of Functional Analysis</i> , 2016, 270, 1361-1378.	1.4	9
5	ISOMETRIC REPRESENTATION OF LIPSCHITZ-FREE SPACES OVER CONVEX DOMAINS IN FINITE-DIMENSIONAL SPACES. <i>Mathematika</i> , 2017, 63, 538-552.	0.5	9
6	Lipschitz free p-spaces for $0 < p < 1$. <i>Israel Journal of Mathematics</i> , 2020, 240, 65-98.	0.8	9
7	Monotone retractability and retractional skeletons. <i>Journal of Mathematical Analysis and Applications</i> , 2015, 423, 18-31.	1.0	8
8	Isometric embedding of \mathbb{R}^n into Lipschitz-free spaces and ℓ_{∞}^n into their duals. <i>Proceedings of the American Mathematical Society</i> , 2017, 145, 3409-3421.	0.8	8
9	Lipschitz free spaces isomorphic to their infinite sums and geometric applications. <i>Transactions of the American Mathematical Society</i> , 2021, 374, 7281-7312.	0.9	8
10	Isomorphisms between spaces of Lipschitz functions. <i>Journal of Functional Analysis</i> , 2019, 277, 2697-2727.	1.4	7
11	Simultaneous projectional skeletons. <i>Journal of Mathematical Analysis and Applications</i> , 2014, 411, 19-29.	1.0	6
12	Rich families and projectional skeletons in Asplund WCG spaces. <i>Journal of Mathematical Analysis and Applications</i> , 2017, 448, 1618-1632.	1.0	5
13	Finitely additive measures and complementability of Lipschitz-free spaces. <i>Israel Journal of Mathematics</i> , 2019, 230, 409-442.	0.8	5
14	Embeddability of \mathbb{R}^n and bases in Lipschitz free p-spaces for $0 < p \leq \infty$. <i>Journal of Functional Analysis</i> , 2020, 278, 108354.	1.4	5
15	Lipschitz Algebras and Lipschitz-Free Spaces Over Unbounded Metric Spaces. <i>International Mathematics Research Notices</i> , 2022, 2022, 16327-16362.	1.0	5
16	ℓ_p -Porosity is separably determined. <i>Czechoslovak Mathematical Journal</i> , 2013, 63, 219-234.	0.3	4
17	Projections in duals to Asplund spaces made without Simonsâ™ lemma. <i>Proceedings of the American Mathematical Society</i> , 2014, 143, 301-308.	0.8	4
18	On separable determination of ℓ_p -porous sets in Banach spaces. <i>Topology and Its Applications</i> , 2015, 180, 64-84.	0.4	4

#	ARTICLE	IF	CITATIONS
19	Large separated sets of unit vectors in Banach spaces of continuous functions. <i>Colloquium Mathematicum</i> , 2019, 157, 173-187.	0.3	3
20	Rich families and elementary submodels. <i>Open Mathematics</i> , 2014, 12, .	1.0	2
21	Separable determination in Banach spaces. <i>Fundamenta Mathematicae</i> , 2018, 243, 9-27.	0.5	2
22	Complexity of distances: Reductions of distances between metric and Banach spaces. <i>Israel Journal of Mathematics</i> , 0, , 1.	0.8	2
23	Polish spaces of Banach spaces. <i>Forum of Mathematics, Sigma</i> , 2022, 10, .	0.7	2
24	Characterizations of weakly mml:math $\text{xmlns:mml}=\text{"http://www.w3.org/1998/Math/MathML"}$ $\text{altimg}=\text{"si1.svg"}$ mml:mi $\text{mathvariant}=\text{"script"}$ K mml:math -analytic and VaÅjÅk spaces using projectional skeletons and separable PRl. <i>Journal of Mathematical Analysis and Applications</i> , 2022, 515, 126389.	1.0	2
25	Characterization of compact monotonically (\mathbb{I}_{∞} -)monolithic spaces using system of retractions. <i>Topology and Its Applications</i> , 2014, 171, 87-90.	0.4	1
26	Structure of the Lipschitz free p -spaces $\mathcal{F}_p(\mathbb{Z})^d$ and $\mathcal{F}_p(\mathbb{R})^d$ for $0 < p \leq 1$. <i>Collectanea Mathematica</i> , 2022, 73, 337-357.	0.9	1
27	Note on Bessaga-Klee classification. <i>Colloquium Mathematicum</i> , 2015, 140, 59-74.	0.3	0