Achenef Tesfahun

List of Publications by Year in descending order

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#	Article	IF	CITATIONS
1	On the persistence of spatial analyticity for the beam equation. Journal of Mathematical Analysis and Applications, 2022, 509, 126001.	1.0	3
2	Lower bound on the radius of analyticity of solution for fifth order KdV–BBM equation. Nonlinear Differential Equations and Applications, 2022, 29, 1.	0.8	3
3	Time-decay estimates for the linearized water wave type equations. Journal of Evolution Equations, 2022, 22, .	1.1	1
4	Dispersive Estimates for Full Dispersion KP Equations. Journal of Mathematical Fluid Mechanics, 2021, 23, 1.	1.0	5
5	Ill-posedness of the Maxwell–Dirac system below charge in space dimension three and lower. Nonlinear Differential Equations and Applications, 2021, 28, 1.	0.8	1
6	Long-time Behavior of Solutions to Cubic Dirac Equation with Hartree Type Nonlinearity in â"1+2. International Mathematics Research Notices, 2020, 2020, 6489-6538.	1.0	7
7	Ill-posedness of the Thirring model below the critical regularity. Journal of Mathematical Physics, 2020, 61, 071504.	1.1	0
8	Small Data Scattering for Cubic Dirac Equation with Hartree Type Nonlinearity in \$mathbb{R}^{1+3}\$. SIAM Journal on Mathematical Analysis, 2020, 52, 2969-3003.	1.9	4
9	Well-Posedness for a Dispersive System of the WhithamBoussinesq Type. SIAM Journal on Mathematical Analysis, 2020, 52, 2353-2382.	1.9	8
10	Growth-in-time of higher Sobolev norms of solutions to the 1D Dirac–Klein–Gordon system. Journal of Hyperbolic Differential Equations, 2019, 16, 313-332.	0.5	3
11	Remark on the persistence of spatial analyticity for cubic nonlinear Schrödinger equation on the circle. Nonlinear Differential Equations and Applications, 2019, 26, 1.	0.8	5
12	Asymptotic lower bound for the radius of spatial analyticity to solutions of KdV equation. Communications in Contemporary Mathematics, 2019, 21, 1850061.	1.2	13
13	On the Radius of Spatial Analyticity for the Quartic Generalized KdV Equation. Annales Henri Poincare, 2017, 18, 3553-3564.	1.7	19
14	On the radius of spatial analyticity for cubic nonlinear Schrödinger equations. Journal of Differential Equations, 2017, 263, 7496-7512.	2.2	20
15	Null structure and local well-posedness in the energy class for the Yang–Mills equations in Lorenz gauge. Journal of the European Mathematical Society, 2016, 18, 1729-1752.	1.4	13
16	Finite Energy Local Well-Posedness for the Yang–Mills–Higgs Equations in Lorenz Gauge. International Mathematics Research Notices, 2015, 2015, 5140-5161.	1.0	7
17	Local well-posedness of Yang–Mills equations in Lorenz gauge below the energy norm. Nonlinear Differential Equations and Applications, 2015, 22, 849-875.	0.8	11
18	Almost critical local well-posedness for the space-time monopole equation in Lorenz gauge. Communications in Contemporary Mathematics, 2015, 17, 1450043.	1.2	3

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#	Article	IF	CITATIONS
19	On the radius of spatial analyticity for the 1d Dirac–Klein–Gordon equations. Journal of Differential Equations, 2015, 259, 4732-4744.	2.2	28
20	Small data scattering for semi-relativistic equations with Hartree type nonlinearity. Journal of Differential Equations, 2015, 259, 5510-5532.	2.2	12
21	Unconditional uniqueness in the charge class for the Dirac–Klein–Gordon equations in two space dimensions. Nonlinear Differential Equations and Applications, 2013, 20, 1055-1063.	0.8	5
22	Global well-posedness of the Chern-Simons-Higgs equations with finite energy. Discrete and Continuous Dynamical Systems, 2013, 33, 2531-2546.	0.9	14
23	ON THE MAXWELL-KLEIN-GORDON SYSTEM IN LORENZ GAUGE. , 2010, , .		0
24	Remarks on regularity and uniqueness of the Dirac–Klein–Gordon equations in one space dimension. Nonlinear Differential Equations and Applications, 2010, 17, 453-465.	0.8	6
25	Finite-Energy Global Well-Posedness of the Maxwell–Klein–Gordon System in Lorenz Gauge. Communications in Partial Differential Equations, 2010, 35, 1029-1057.	2.2	34
26	GLOBAL WELL-POSEDNESS OF THE 1D DIRAC–KLEIN–GORDON SYSTEM IN SOBOLEV SPACES OF NEGATIVE INDEX. Journal of Hyperbolic Differential Equations, 2009, 06, 631-661.	0.5	10
27	LOW REGULARITY WELL-POSEDNESS OF THE DIRAC–KLEIN–GORDON EQUATIONS IN ONE SPACE DIMENSIO Communications in Contemporary Mathematics, 2008, 10, 181-194.	Ŋ _{1.2}	26
28	Comparison between Boussinesq―and Whitham–Boussinesqâ€ŧype systems. Mathematical Methods in the Applied Sciences, 0, , .	2.3	1