

# Mayukh Mukherjee

## List of Publications by Year in descending order

Source: <https://exaly.com/author-pdf/72384/publications.pdf>

Version: 2024-02-01

11  
papers

24  
citations

2682572

2  
h-index

2053705

5  
g-index

13  
all docs

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docs citations

13  
times ranked

7  
citing authors

| #  | ARTICLE  | IF  | CITATIONS |
|----|--|-----|-----------|
| 1  | Nodal sets of Laplace eigenfunctions under small perturbations. <i>Mathematische Annalen</i> , 2022, 383, 475-491.   | 1.4 | 2         |
| 2  | Polyhedral Billiards, Eigenfunction Concentration and Almost Periodic Control. <i>Communications in Mathematical Physics</i> , 2020, 377, 2451-2487.       | 2.2 | 1         |
| 3  | Some remarks on nodal geometry in the smooth setting. <i>Calculus of Variations and Partial Differential Equations</i> , 2019, 58, 1.                      | 1.7 | 2         |
| 4  | On maximizing the fundamental frequency of the complement of an obstacle. <i>Comptes Rendus Mathematique</i> , 2018, 356, 406-411.                         | 0.3 | 3         |
| 5  | Boundedness of spectral multipliers of generalized Laplacians on compact manifolds with boundary. <i>Mathematische Zeitschrift</i> , 2018, 289, 1011-1031. | 0.9 | 0         |
| 6  | Nodal geometry, heat diffusion and Brownian motion. <i>Analysis and PDE</i> , 2018, 11, 133-148.   | 1.4 | 13        |
| 7  | A Spectral Gap Estimate and Applications. <i>Potential Analysis</i> , 2018, 49, 635-645.   | 0.9 | 1         |
| 8  | Variation of Laplace spectra of compact $\epsilon$ -nearly-hyperbolic surfaces. <i>Comptes Rendus Mathematique</i> , 2017, 355, 216-221.                   | 0.3 | 1         |
| 9  | A special class of nonlinear hypoelliptic equations on spheres. <i>Nonlinear Differential Equations and Applications</i> , 2017, 24, 1.                    | 0.8 | 1         |
| 10 | Extremal values of the (fractional) Weinstein functional on the hyperbolic space. <i>Forum Mathematicum</i> , 2017, 29, .                                  | 0.7 | 0         |
| 11 | Some applications of heat flow to Laplace eigenfunctions. <i>Communications in Partial Differential Equations</i> , 0, , 1-24.                             | 2.2 | 0         |