

Domingo Barrera

List of Publications by Year in descending order

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213

citing authors

#	ARTICLE	IF	CITATIONS
1	A novel construction of B-spline-like bases for a family of many knot spline spaces and their application to quasi-interpolation. <i>Journal of Computational and Applied Mathematics</i> , 2022, 404, 113761.	2.0	4
2	A new approach to deal with cubic splines and its application to super-convergent quasi-interpolation. <i>Mathematics and Computers in Simulation</i> , 2022, 194, 401-415.	1.1	11
3	On numerical solution of Fredholm and Hammerstein integral equations via Nyström method and Gaussian quadrature rules for splines. <i>Applied Numerical Mathematics</i> , 2022, 174, 71-88.	2.1	6
4	Variability estimation in resistive switching devices, a numerical and kinetic Monte Carlo perspective. <i>Microelectronic Engineering</i> , 2022, 257, 111736.	2.4	15
5	Superconvergent Nyström and Degenerate Kernel Methods for Integro-Differential Equations. <i>Mathematics</i> , 2022, 10, 893.	2.2	1
6	C1-Quartic Butterfly-Spline Interpolation on Type-1 Triangulations. <i>Springer Proceedings in Mathematics and Statistics</i> , 2021, , 11-26.	0.2	0
7	On nonpolynomial monotonicity-preserving C 1 spline interpolation. <i>Computational and Mathematical Methods</i> , 2021, 3, e1160.	0.8	4
8	Quasi-Interpolation in a Space of C2 Sextic Splines over Powell-Sabin Triangulations. <i>Mathematics</i> , 2021, 9, 2276.	2.2	2
9	Non-Uniform Spline Quasi-Interpolation to Extract the Series Resistance in Resistive Switching Memristors for Compact Modeling Purposes. <i>Mathematics</i> , 2021, 9, 2159.	2.2	9
10	A geometric characterization of Powell-Sabin triangulations allowing the construction of C2 quartic splines. <i>Computers and Mathematics With Applications</i> , 2021, 100, 30-40.	2.7	1
11	Non-uniform quasi-interpolation for solving Hammerstein integral equations. <i>International Journal of Computer Mathematics</i> , 2020, 97, 72-84.	1.8	11
12	A trivariate near-best blending quadratic quasi-interpolant. <i>Mathematics and Computers in Simulation</i> , 2020, 176, 25-35.	4.4	3
13	A quasi-interpolation product integration based method for solving Love's integral equation with a very small parameter. <i>Mathematics and Computers in Simulation</i> , 2020, 172, 213-223.	4.4	4
14	Uniform algebraic hyperbolic spline quasi-interpolant based on mean integral values. <i>Computational and Mathematical Methods</i> , 2020, , e1123.	0.8	2
15	Quasi-interpolation by quartic splines on type-1 triangulations. <i>Journal of Computational and Applied Mathematics</i> , 2019, 349, 507-517.	1.1	11
16	Point and differential quasi-interpolation on three direction meshes. <i>Journal of Computational and Applied Mathematics</i> , 2019, 354, 373-389.	1.1	11
17	A spline quasi-interpolation based method to obtain the reset voltage in Resistive RAMs in the charge-flux domain. <i>Journal of Computational and Applied Mathematics</i> , 2019, 354, 326-333.	2.0	7
18	Two methods based on bivariate spline quasi-interpolants for solving Fredholm integral equations. <i>Applied Numerical Mathematics</i> , 2018, 127, 78-94.	2.1	13

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19	Tivariate near-best blending spline quasi-interpolation operators. Numerical Algorithms, 2018, 78, 217-241.	1.9	5
20	Hermite spline interpolation on a three direction mesh from Powellâ€“Sabin and Hsiehâ€“Cloughâ€“Tocher finite elements. Journal of Computational and Applied Mathematics, 2017, 318, 565-579.	2.0	2
21	Polynomial pattern finding in scattered data. Journal of Computational and Applied Mathematics, 2017, 318, 107-116.	2.0	4
22	On the construction of trivariate near-best quasi-interpolants based on $\text{xmlns:mml} = \text{"http://www.w3.org/1998/Math/MathML"}$ $\text{altimg} = \text{"si121.gif"}$ $\text{display} = \text{"inline"}$ $\text{overflow} = \text{"scroll"}$ <mml:msup> <mml:mrow> $\text{<mml:mi>} C \text{</mml:mi>}$ </mml:mrow> <mml:mrow> $\text{<mml:mn>} 2 \text{</mml:mn>}$ </mml:mrow> </mml:msup> quartic splines on type-6 tetrahedral partitions. Journal of Computational and Applied Mathematics, 2017, 311, 252-261.	2.0	10
23	Minimizing B-spline knots in representative road axis from GPS points cloud. Mathematical Methods in the Applied Sciences, 2016, 39, 4773-4779.	2.3	3
24	A fitted B-spline method to derive a representative 3D axis from a set of multiple road traces. Geocarto International, 2016, 31, 832-844.	3.5	6
25	A new parameter to characterize the charge transport regime in Ni/HfO ₂ /Si-n + -based RRAMs. Solid-State Electronics, 2016, 118, 56-60.	1.4	28
26	Inferring Mean Road Axis from Big Data: Sorted Points Cloud Belonging to Traces. Advances in Intelligent Systems and Computing, 2015, , 443-453.	0.6	2
27	A general spline differential quadrature method based on quasi-interpolation. Journal of Computational and Applied Mathematics, 2015, 275, 465-479.	2.0	14
28	On spline-based differential quadrature. Journal of Computational and Applied Mathematics, 2015, 275, 272-280.	2.0	6
29	Close-range photogrammetry applied to the documentation of cultural heritage using telescopic and wide-angle lenses. Imaging Science Journal, 2014, 62, 387-394.	0.5	6
30	Increasing the approximation order of spline quasi-interpolants. Journal of Computational and Applied Mathematics, 2013, 252, 27-39.	2.0	12
31	A second look at the interpolatory background of the Eulerâ€“Maclaurin quadrature formula. Applied Mathematics and Computation, 2013, 220, 608-615.	2.2	0
32	Construction techniques for multivariate modified quasi-interpolants with high approximation order. Computers and Mathematics With Applications, 2013, 65, 29-41.	2.7	4
33	An Inversion-Charge Analytical Model for Square Gate-All-Around MOSFETs. IEEE Transactions on Electron Devices, 2011, 58, 2854-2861.	3.0	12
34	An analytical model for square GAA MOSFETs including quantum effects. Solid-State Electronics, 2010, 54, 1463-1469.	1.4	28
35	On near-best discrete quasi-interpolation on a four-directional mesh. Journal of Computational and Applied Mathematics, 2010, 233, 1470-1477.	2.0	27
36	Filling polygonal holes with minimal energy surfaces on Powellâ€“Sabin type triangulations. Journal of Computational and Applied Mathematics, 2010, 234, 1058-1068.	2.0	9

#	ARTICLE	IF	CITATIONS
37	Optimal bivariate $\langle \text{mml:math xmlns:mml="http://www.w3.org/1998/Math/MathML"} \rangle$ altimg="si28.gif" display="inline" overflow="scroll" $\langle \text{mml:msup} \rangle$ $\langle \text{mml:mrow} \rangle$ $\langle \text{mml:mi} \rangle C \langle / \text{mml:mi} \rangle$ $\langle / \text{mml:mrow} \rangle$ $\langle \text{mml:mrow} \rangle$ $\langle \text{mml:mn} \rangle 1 \langle / \text{mml:mn} \rangle$ $\langle / \text{mml:mrow} \rangle$ $\langle / \text{mml:msup} \rangle$ cubic quasi-interpolation on a type-2 triangulation. <i>Journal of Computational and Applied Mathematics</i> , 2010, 234, 1188-1199.		
38	A general method for constructing quasi-interpolants from B-splines. <i>Journal of Computational and Applied Mathematics</i> , 2010, 234, 1324-1337.	2.0	17
39	A homogeneity test for bivariate random variables. <i>Computational Statistics</i> , 2009, 24, 513-531.	1.5	3
40	Minimizing the quasi-interpolation error for bivariate discrete quasi-interpolants. <i>Journal of Computational and Applied Mathematics</i> , 2009, 224, 250-268.	2.0	9
41	Near-best operators based on a quartic spline on the uniform four-directional mesh. <i>Mathematics and Computers in Simulation</i> , 2008, 77, 151-160.	4.4	9
42	Near-Best Univariate Spline Discrete Quasi-Interpolants on Nonuniform Partitions. <i>Constructive Approximation</i> , 2008, 28, 237-251.	3.0	25
43	Minimal energy -surfaces on uniform Powell-Sabin type meshes. <i>Mathematics and Computers in Simulation</i> , 2008, 77, 161-169.	4.4	14
44	A recursive method for computing interpolants. <i>Journal of Computational and Applied Mathematics</i> , 2008, 216, 435-450.	2.0	1
45	Minimal energy $\langle \text{mml:math xmlns:mml="http://www.w3.org/1998/Math/MathML"} \rangle$ $\text{altimg="si131.gif"}$ overflow="scroll" $\langle \text{mml:msup} \rangle$ $\langle \text{mml:mrow} \rangle$ $\langle \text{mml:mi} \rangle C \langle / \text{mml:mi} \rangle$ $\langle / \text{mml:mrow} \rangle$ $\langle \text{mml:mrow} \rangle$ $\langle \text{mml:mi} \rangle r \langle / \text{mml:mi} \rangle$ $\langle / \text{mml:mrow} \rangle$ $\langle / \text{mml:msup} \rangle$ on uniform Powellâ€“Sabin-type meshes for noisy data. <i>Journal of Computational and Applied Mathematics</i> , 2008, 218, 592-602.		
46	Bernsteinâ€“BÃ©zier representation and near-minimally normed discrete quasi-interpolation operators. <i>Applied Numerical Mathematics</i> , 2008, 58, 59-68.	2.1	13
47	Minimal energy surfaces on Powellâ€“Sabin type triangulations. <i>Applied Numerical Mathematics</i> , 2008, 58, 635-645.	2.1	15
48	Subdivision Scheme of Quartic Bivariate Splines on a Four-Directional Mesh. <i>ESAIM: Proceedings and Surveys</i> , 2007, 20, 16-28.	0.4	1
49	Near minimally normed spline quasi-interpolants on uniform partitions. <i>Journal of Computational and Applied Mathematics</i> , 2005, 181, 211-233. Near-best quasi-interpolants associated with $\langle \text{mml:math altimg="si8.gif" overflow="scroll"}$ $\text{xmlns:xocs="http://www.elsevier.com/xml/xocs/dtd" xmlns:xs="http://www.w3.org/2001/XMLSchema"}$ $\text{xmlns:xi="http://www.w3.org/2001/XMLSchema-instance" xmlns="http://www.elsevier.com/xml/ja/dtd"}$ $\text{xmlns:ja="http://www.elsevier.com/xml/ja/dtd" xmlns:mml="http://www.w3.org/1998/Math/MathML"}$ $\text{xmlns:tb="http://www.elsevier.com/xml/common/table/dtd"}$ $\text{xmlns:sb="http://www.elsevier.com/xml/common/struct-bib/dtd" xmlns:ce="http://www..}$ <i>Journal of Computational and Applied Mathematics</i> , 2005, 181, 211-233.	2.0	23
50	<i>Journal of Computational and Applied Mathematics</i> , 2005, 181, 211-233. A homogeneity test based on empirical characteristic functions. <i>Computational Statistics</i> , 2001, 16, 255-270.	2.0	30
51	A mixed hyperbolic/trigonometric nonâ€“stationary subdivision scheme for arbitrary topology meshes. <i>Mathematical Methods in the Applied Sciences</i> , 0, .	1.5	12
52	A mixed hyperbolic/trigonometric nonâ€“stationary subdivision scheme for arbitrary topology meshes. <i>Mathematical Methods in the Applied Sciences</i> , 0, .	2.3	0