

# Maja AndriÄ

## List of Publications by Year in descending order

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Version: 2024-02-01

20  
papers

150  
citations

1683354

5  
h-index

1199166

12  
g-index

20  
all docs

20  
docs citations

20  
times ranked

64  
citing authors

#	ARTICLE	IF	CITATIONS
1	A further extension of Mittag-Leffler function. <i>Fractional Calculus and Applied Analysis</i> , 2018, 21, 1377-1395.	1.2	69
2	A multiple Opial type inequality for the Riemann-Liouville fractional derivatives. <i>Journal of Mathematical Inequalities</i> , 2013, , 139-150.	0.5	24
3	Composition identities for the Caputo fractional derivatives and applications to Opial-type inequalities. <i>Mathematical Inequalities and Applications</i> , 2013, , 657-670.	0.1	14
4	Opial-type inequality due to Agarwalâ€Pang and fractional differential inequalities. <i>Integral Transforms and Special Functions</i> , 2014, 25, 324-335.	0.8	11
5	Refinements of some integral inequalities for unified integral operators. <i>Journal of Inequalities and Applications</i> , 2021, 2021, .	0.5	5
6	Generalized Minkowski-type Fractional Inequalities Involving Extended Mittag-leffler Function. <i>Journal of the Indian Mathematical Society</i> , 2020, 87, 137.	0.1	5
7	PÃ³lya-SzegÃ¶ and Chebyshev types inequalities via an extended generalized Mittag-Leffler function. <i>Mathematical Inequalities and Applications</i> , 2019, , 1365-1377.	0.1	4
8	Jensen-Type Inequalities for (h, g; m)-Convex Functions. <i>Mathematics</i> , 2021, 9, 3312.	1.1	4
9	On Willettâ€™s, Godunova-Levinâ€™s, and Rozanovaâ€™s Opial-type inequalities with related Stolarsky-type means. <i>Mathematical Notes</i> , 2014, 96, 841-854.	0.1	2
10	Refinement and corrigendum of bounds of fractional integral operators containing Mittag-Leffler functions. <i>AIMS Mathematics</i> , 2020, 5, 7332-7349.	0.7	2
11	An Opial-Type inequality for fractional derivatives of two functions. <i>Fractional Differential Calculus</i> , 2013, , 55-68.	0.3	2
12	An Opial-type integral inequality and exponentially convex functions. <i>Fractional Differential Calculus</i> , 2015, , 25-42.	0.3	2
13	Lahâ€™RibariÄ-type inequalities for (h,Äg;Äm)-convex functions. <i>Revista De La Real Academia De Ciencias Exactas, Fisicas Y Naturales - Serie A: Matematicas</i> , 2022, 116, 1.	0.6	2
14	Fractional Integral Inequalities of Hermiteâ€™Hadamard Type for (h,g;m)-Convex Functions with Extended Mittag-Leffler Function. <i>Fractal and Fractional</i> , 2022, 6, 301.	1.6	2
15	General multiple Opial-type inequalities for the Canavatiâ€™ fractional derivatives. <i>Annals of Functional Analysis</i> , 2013, 4, 149-162.	0.3	1
16	Refinements of Some Integral Inequalities for $(h, g; m)$ -Convex Functions. <i>Mathematical Problems in Engineering</i> , 2020, 2020, 1-13.	0.6	1
17	Generalizations of Opial-Type Inequalities in Several Independent Variables. <i>Demonstratio Mathematica</i> , 2014, 47, .	0.6	0
18	Corrigendum to â€œGeneralizations of Opial-Type Inequalities in Several Independent Variablesâ€•. Published in <i>Demonstratio Math.</i> 4(47) (2014), 324â€335. <i>Demonstratio Mathematica</i> , 2016, 49, .	0.6	0

#	ARTICLE	IF	CITATIONS
19	On weighted integral and discrete Opial-type inequalities. <i>Mathematical Inequalities and Applications</i> , 2016, , 1295-1307.	0.1	0
20	FURTHER GENERALIZATIONS OF MINKOWSKI TYPE INEQUALITIES WITH EXTENDED MITTAG-LEFFLER FUNCTION. <i>Matematicki Bilten</i> , 2020, , 107-117.	0.1	0