

# Daniele D Del Santo

## List of Publications by Year in descending order

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26  
papers

138  
citations

1307594

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h-index

1281871

11  
g-index

28  
all docs

28  
docs citations

28  
times ranked

37  
citing authors

#	ARTICLE	IF	CITATIONS
1	On the optimal regularity of coefficients in hyperbolic Cauchy problems. <i>Bulletin Des Sciences Mathematiques</i> , 2003, 127, 328-347.	1.0	40
2	Backward uniqueness for parabolic operators whose coefficients are non-Lipschitz continuous in time. <i>Journal Des Mathematiques Pures Et Appliquees</i> , 2005, 84, 471-491.	1.6	19
3	Time-Dependent Loss of Derivatives for Hyperbolic Operators with Non Regular Coefficients. <i>Communications in Partial Differential Equations</i> , 2013, 38, 1791-1817.	2.2	10
4	A well-posedness result for hyperbolic operators with Zygmund coefficients. <i>Journal Des Mathematiques Pures Et Appliquees</i> , 2013, 100, 455-475.	1.6	9
5	Continuous dependence for backward parabolic operators with Log-Lipschitz coefficients. <i>Mathematische Annalen</i> , 2009, 345, 213-243.	1.4	8
6	The Well-Posedness Issue in Sobolev Spaces for Hyperbolic Systems with Zygmund-Type Coefficients. <i>Communications in Partial Differential Equations</i> , 2015, 40, 2082-2121.	2.2	8
7	Gevrey-well-posedness for weakly hyperbolic operators with non-regular coefficients. <i>Journal Des Mathematiques Pures Et Appliquees</i> , 2002, 81, 641-654.	1.6	7
8	A new result on backward uniqueness for parabolic operators. <i>Annali Di Matematica Pura Ed Applicata</i> , 2015, 194, 387-403.	1.0	7
9	On backward parabolic equations with $\log$ -Lipschitz coefficients. <i>Journal Des Mathematiques Pures Et Appliquees</i> , 2015, 92, 101-117.	1.1	5
10	On weakly hyperbolic operators with non-regular coefficients and finite order degeneration. <i>Journal of Mathematical Analysis and Applications</i> , 2003, 282, 410-420.	1.0	4
11	Uniqueness and Nonuniqueness in the Cauchy Problem for Degenerate Elliptic Operators. <i>American Journal of Mathematics</i> , 1993, 115, 1281.	1.1	3
12	A Multiscale Problem for Viscous Heat-Conducting Fluids in Fast Rotation. <i>Journal of Nonlinear Science</i> , 2021, 31, 1.	2.1	3
13	An example of non-uniqueness for a hyperbolic equation with non-Lipschitz-continuous coefficients. <i>Kyoto Journal of Mathematics</i> , 2002, 42, .	0.3	2
14	Gevrey-well-posedness for weakly hyperbolic operators with Hölder-continuous coefficients. <i>Mathematica Scandinavica</i> , 2004, 94, 267.	0.2	2
15	On the uniqueness in gevrey spaces for degenerate elliptic operators. <i>Communications in Partial Differential Equations</i> , 1994, 19, 1945-1969.	2.2	1
16	Condition Is Not sufficient for uniqueness in the cauchy problem. <i>Communications in Partial Differential Equations</i> , 1995, 20, 2113-2128.	2.2	1
17	A dyadic decomposition approach to a finitely degenerate hyperbolic problem. <i>Annali Dell'Universita Di Ferrara</i> , 2006, 52, 281-289.	1.3	1
18	Conditional stability for backward parabolic operators with Osgood continuous coefficients. <i>Annali Di Matematica Pura Ed Applicata</i> , 2020, 199, 479-508.	1.0	1

#	ARTICLE	IF	CITATIONS
19	On backward uniqueness for parabolic equations when Osgood continuity of the coefficients fails at one point. <i>Annali Di Matematica Pura Ed Applicata</i> , 0, , 1.	1.0	1
20	Strictly Hyperbolic Operators and Approximate Energies. <i>International Society for Analysis, Applications and Computation</i> , 2003, , 253-277.	0.1	1
21	Non-uniqueness and Uniqueness in the Cauchy Problem of Elliptic and Backward-Parabolic Equations. <i>Springer Proceedings in Mathematics and Statistics</i> , 2013, , 27-52.	0.2	1
22	On the absence of rapidly decaying solutions for parabolic operators whose coefficients are non-Lipschitz continuous in time. <i>Proceedings of the American Mathematical Society</i> , 2007, 135, 383-391.	0.8	1
23	THE CAUCHY PROBLEM FOR A HYPERBOLIC OPERATOR WITH LOG-ZYGMUND COEFFICIENTS. , 2009, , .		1
24	Conditional Stability for Backward Parabolic Equations with Osgood Coefficients. <i>Trends in Mathematics</i> , 2019, , 285-295.	0.1	0
25	No Loss of Derivatives for Hyperbolic Operators with Zygmund-Continuous Coefficients in Time. <i>Springer INdAM Series</i> , 2021, , 127-148.	0.5	0
26	Well-posedness for hyperbolic equations whose coefficients lose regularity at one point. <i>Monatshefte Fur Mathematik</i> , 0, , 1.	0.9	0