

Emil Åberg

List of Publications by Year in descending order

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#	ARTICLE	IF	CITATIONS
1	On interpolation by Planar cubic \$G^2\$ pythagorean-hodograph spline curves. <i>Mathematics of Computation</i> , 2010, 79, 305-305.	2.1	29
2	Curvature variation minimizing cubic Hermite interpolants. <i>Applied Mathematics and Computation</i> , 2011, 218, 3918-3924.	2.2	23
3	Planar cubic $\langle \text{mml:math} \text{ xmlns:mml= } \text{http://www.w3.org/1998/Math/MathML} \text{ altimg= } \text{si6.gif} \text{ display="inline"}$ overflow="scroll"><mml:msup><mml:mrow><mml:mi>G</mml:mi></mml:mrow><mml:mrow><mml:mi>1</mml:mi></mml:mrow></mml:msup></math> interpolatory splines with small strain energy. <i>Journal of Computational and Applied Mathematics</i> , 2011, 235, 2758-2765.	2.1	21
4	C1Hermite interpolation with spatial Pythagorean-hodograph cubic biarcs. <i>Journal of Computational and Applied Mathematics</i> , 2014, 257, 65-78.	2.0	21
5	On geometric interpolation by planar parametric polynomial curves. <i>Mathematics of Computation</i> , 2007, 76, 1981-1994.	2.1	20
6	On Geometric Interpolation by Polynomial Curves. <i>SIAM Journal on Numerical Analysis</i> , 2004, 42, 953-967.	2.3	17
7	On geometric interpolation of circle-like curves. <i>Computer Aided Geometric Design</i> , 2007, 24, 241-251.	1.2	16
8	An approach to geometric interpolation by Pythagorean-hodograph curves. <i>Advances in Computational Mathematics</i> , 2012, 37, 123-150.	1.6	15
9	Hermite interpolation by rational $\langle \text{mml:math} \text{ xmlns:mml= } \text{http://www.w3.org/1998/Math/MathML} \text{ altimg= } \text{si19.gif} \text{ display="inline"}$ overflow="scroll"><mml:msup><mml:mrow><mml:mi>G</mml:mi></mml:mrow><mml:mrow><mml:mi>k</mml:mi></mml:mrow></mml:msup></math> motions of low degree. <i>Journal of Computational and Applied Mathematics</i> , 2013, 240, 20-30.	1.5	15
10	Geometric Lagrange interpolation by planar cubic Pythagorean-hodograph curves. <i>Computer Aided Geometric Design</i> , 2008, 25, 720-728.	1.2	13
11	$\langle \text{mml:math} \text{ xmlns:mml= } \text{http://www.w3.org/1998/Math/MathML} \text{ altimg= } \text{si1.gif} \text{ display="block"}$ overflow="scroll"><mml:msup><mml:mrow><mml:mi>C</mml:mi></mml:mrow><mml:mrow><mml:mi>2</mml:mi></mml:mrow></mml:msup></math> Hermite interpolation by Pythagorean-hodograph quintic triarcs. <i>Computer Aided Geometric Design</i> , 2014, 31, 412-426.	1.2	13
12	High-Order Parametric Polynomial Approximation of Conic Sections. <i>Constructive Approximation</i> , 2013, 38, 1-18.	3.0	10
13	rational interpolation of spherical motions with rational rotation-minimizing directed frames. <i>Computer Aided Geometric Design</i> , 2013, 30, 159-173.	1.2	10
14	Some new quartic parametric approximants of circular arcs. <i>Applied Mathematics and Computation</i> , 2014, 239, 254-264.	2.2	10
15	CLOSED FORM FORMULA FOR THE NUMBER OF RESTRICTED COMPOSITIONS. <i>Bulletin of the Australian Mathematical Society</i> , 2010, 81, 289-297.	0.5	9
16	A general framework for the optimal approximation of circular arcs by parametric polynomial curves. <i>Journal of Computational and Applied Mathematics</i> , 2019, 345, 146-158.	2.0	9
17	Three-pencil lattices on triangulations. <i>Numerical Algorithms</i> , 2007, 45, 49-60.	1.9	7
18	Approximation of circular arcs by parametric polynomial curves. <i>Annali Dell'Università Di Ferrara</i> , 2007, 53, 271-279.	1.3	6

#	ARTICLE	IF	CITATIONS
19	Barycentric coordinates for Lagrange interpolation over lattices on a simplex. Numerical Algorithms, 2008, 48, 93-104.	1.9	6
20	Interpolation of circular arcs by parametric polynomials of maximal geometric smoothness. Computer Aided Geometric Design, 2018, 63, 66-77.	1.2	6
21	On optimal polynomial geometric interpolation of circular arcs according to the Hausdorff distance. Journal of Computational and Applied Mathematics, 2021, 392, 113491.	2.0	6
22	On geometric Lagrange interpolation by quadratic parametric patches. Computer Aided Geometric Design, 2008, 25, 373-384.	1.2	5
23	Shape preserving interpolation by cubic G 1 splines in \mathbb{R}^3 . Annali Dell'Università Di Ferrara, 2008, 54, 259-267.	1.3	4
24	<math>\text{overflow="scroll"}><\text{mml:msup}><\text{mml:mrow}><\text{mml:mi}>C</\text{mml:mi}></\text{mml:mrow}><\text{mml:mrow}><\text{mml:mn}>1</\text{mml:mn}></\text{mml:mrow}></\text{mml:msup}><\text{mml:mrow}><\text{mml:mi}>4</\text{mml:mi}></\text{mml:mrow}></math> interpolation by rational biarcs with rational rotation minimizing directed frames. Computer Aided Geometric Design, 2014, 31, 427-440.	1.2	4
25	Interpolation of planar G1 data by Pythagorean-hodograph cubic biarcs with prescribed arc lengths. Computer Aided Geometric Design, 2022, 96, 102119.	1.2	4
26	Lattices on simplicial partitions. Journal of Computational and Applied Mathematics, 2010, 233, 1704-1715.	2.0	2
27	Geometric approximation of the sphere by triangular polynomial spline patches. Computer Aided Geometric Design, 2022, 92, 102061.	1.2	2
28	Energy Minimizing Mountain Ascent. Journal of Optimization Theory and Applications, 2012, 155, 680-693.	1.5	1
29	A Theoretical Analysis of an Improved Rational Scheme for Spherical Camera Motions. Lecture Notes in Computer Science, 2014, , 442-455.	1.3	1
30	Planar projections of spatial Pythagorean-hodograph curves. Computer Aided Geometric Design, 2021, 91, 102049.	1.2	1