

# Gabriel N Gatica

## List of Publications by Year in descending order

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113  
papers

2,506  
citations

186265

28  
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254184

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114  
docs citations

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times ranked

518  
citing authors

#	ARTICLE	IF	CITATIONS
1	An $L^p$ -spaces-based formulation yielding a new fully mixed finite element method for the coupled Darcy and heat equations. <i>IMA Journal of Numerical Analysis</i> , 2022, 42, 3154-3206.	2.9	9
2	A posteriori error analysis of mixed finite element methods for stress-assisted diffusion problems. <i>Journal of Computational and Applied Mathematics</i> , 2022, 409, 114144.	2.0	0
3	A new non-augmented and momentum-conserving fully-mixed finite element method for a coupled flow-transport problem. <i>Calcolo</i> , 2022, 59, 1.	1.1	9
4	A posteriori error analysis of Banach spaces-based fully-mixed finite element methods for Boussinesq-type models. <i>Journal of Numerical Mathematics</i> , 2022, 30, 325-356.	3.5	2
5	A mixed-primal finite element method for the coupling of Brinkman–Darcy flow and nonlinear transport. <i>IMA Journal of Numerical Analysis</i> , 2021, 41, 381-411.	2.9	4
6	Adaptive Mesh Refinement in Deformable Image Registration: A Posteriori Error Estimates for Primal and Mixed Formulations. <i>SIAM Journal on Imaging Sciences</i> , 2021, 14, 1238-1272.	2.2	0
7	A fully-mixed finite element method for the coupling of the Navier–Stokes and Darcy–Forchheimer equations. <i>Numerical Methods for Partial Differential Equations</i> , 2021, 37, 2550-2587.	3.6	2
8	Banach spaces-based analysis of a fully-mixed finite element method for the steady-state model of fluidized beds. <i>Computers and Mathematics With Applications</i> , 2021, 84, 244-276.	2.7	13
9	Residual-based a posteriori error analysis for the coupling of the Navier–Stokes and Darcy–Forchheimer equations. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2021, 55, 659-687.	1.9	6
10	A mixed finite element method with reduced symmetry for the standard model in linear viscoelasticity. <i>Calcolo</i> , 2021, 58, 1.	1.1	4
11	Analysis of an augmented fully-mixed finite element method for a bioconvective flows model. <i>Journal of Computational and Applied Mathematics</i> , 2021, 393, 113504.	2.0	3
12	Further developments on boundary-field equation methods for nonlinear transmission problems. <i>Journal of Mathematical Analysis and Applications</i> , 2021, 502, 125262.	1.0	1
13	On the well-posedness of Banach spaces-based mixed formulations for the nearly incompressible Navier–Lamé and Stokes equations. <i>Computers and Mathematics With Applications</i> , 2021, 102, 87-94.	2.7	5
14	A fully-mixed formulation in Banach spaces for the coupling of the steady Brinkman–Forchheimer and double-diffusion equations. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2021, 55, 2725-2758.	1.9	7
15	A note on stable Helmholtz decompositions in 3D. <i>Applicable Analysis</i> , 2020, 99, 1110-1121.	1.3	12
16	A fully mixed finite element method for the coupling of the Stokes and Darcy–Forchheimer problems. <i>IMA Journal of Numerical Analysis</i> , 2020, 40, 1454-1502.	2.9	6
17	A Fully-Mixed Finite Element Method for the $n$ -Dimensional Boussinesq Problem with Temperature-Dependent Parameters. <i>Computational Methods in Applied Mathematics</i> , 2020, 20, 187-213.	0.8	15
18	Ultra-weak symmetry of stress for augmented mixed finite element formulations in continuum mechanics. <i>Calcolo</i> , 2020, 57, 1.	1.1	4

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19	A five-field augmented fully-mixed finite element method for the Navier–Stokes/Darcy coupled problem. <i>Computers and Mathematics With Applications</i> , 2020, 80, 1944-1963.	2.7	4
20	A Banach spaces-based analysis of a new fully-mixed finite element method for the Boussinesq problem. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2020, 54, 1525-1568.	1.9	30
21	A conforming mixed finite element method for the Navier–Stokes/Darcy–Forchheimer coupled problem. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2020, 54, 1689-1723.	1.9	13
22	A Banach spaces-based analysis of a new mixed-primal finite element method for a coupled flow-transport problem. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2020, 371, 113285.	6.6	13
23	A Fully-Mixed Formulation for the Steady Double-Diffusive Convection System Based upon Brinkman–Forchheimer Equations. <i>Journal of Scientific Computing</i> , 2020, 85, 1.	2.3	13
24	An augmented fully-mixed finite element method for a coupled flow-transport problem. <i>Calcolo</i> , 2020, 57, 1.	1.1	10
25	Coupling of virtual element and boundary element methods for the solution of acoustic scattering problems. <i>Journal of Numerical Mathematics</i> , 2020, 28, 223-245.	3.5	8
26	A new mixed finite element method for the $n$ -dimensional Boussinesq problem with temperature-dependent viscosity. <i>Networks and Heterogeneous Media</i> , 2020, 15, 215-245.	1.1	8
27	On the Coupling of VEM and BEM in Two and Three Dimensions. <i>SIAM Journal on Numerical Analysis</i> , 2019, 57, 2493-2518.	2.3	7
28	New Mixed Finite Element Methods for Natural Convection with Phase-Change in Porous Media. <i>Journal of Scientific Computing</i> , 2019, 80, 141-174.	2.3	10
29	A mixed virtual element method for a pseudostress-based formulation of linear elasticity. <i>Applied Numerical Mathematics</i> , 2019, 135, 423-442.	2.1	20
30	A Posteriori Error Analysis of a Mixed-Primal Finite Element Method for the Boussinesq Problem with Temperature-Dependent Viscosity. <i>Journal of Scientific Computing</i> , 2019, 78, 887-917.	2.3	10
31	A posteriori error analysis of an augmented fully-mixed formulation for the stationary Boussinesq model. <i>Computers and Mathematics With Applications</i> , 2019, 77, 693-714.	2.7	11
32	A posteriori error analysis of an augmented fully mixed formulation for the nonisothermal Oldroyd–Stokes problem. <i>Numerical Methods for Partial Differential Equations</i> , 2019, 35, 295-324.	3.6	6
33	Formulation and analysis of fully-mixed methods for stress-assisted diffusion problems. <i>Computers and Mathematics With Applications</i> , 2019, 77, 1312-1330.	2.7	5
34	A note on weak* convergence and compactness and their connection to the existence of the inverse-adjoint. <i>Applicable Analysis</i> , 2019, 98, 1478-1482.	1.3	1
35	Analysis and mixed-primal finite element discretisations for stress-assisted diffusion problems. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2018, 337, 411-438.	6.6	13
36	A Mixed Virtual Element Method for Quasi-Newtonian Stokes Flows. <i>SIAM Journal on Numerical Analysis</i> , 2018, 56, 317-343.	2.3	36

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37	Analysis of an augmented fully-mixed formulation for the coupling of the Stokes and heat equations. ESAIM: Mathematical Modelling and Numerical Analysis, 2018, 52, 1947-1980.	1.9	7
38	A mixed virtual element method for the Navier–Stokes equations. Mathematical Models and Methods in Applied Sciences, 2018, 28, 2719-2762.	3.3	52
39	Primal and Mixed Finite Element Methods for Deformable Image Registration Problems. SIAM Journal on Imaging Sciences, 2018, 11, 2529-2567.	2.2	5
40	A mixed virtual element method for a nonlinear Brinkman model of porous media flow. Calcolo, 2018, 55, 1.	1.1	30
41	A mixed–primal finite element method for the Boussinesq problem with temperature-dependent viscosity. Calcolo, 2018, 55, 1.	1.1	16
42	A posteriori error estimation for an augmented mixed-primal method applied to sedimentation–consolidation systems. Journal of Computational Physics, 2018, 367, 322-346.	3.8	11
43	An augmented fully-mixed finite element method for the stationary Boussinesq problem. Calcolo, 2017, 54, 167-205.	1.1	27
44	A posteriori error analysis of a fully-mixed formulation for the Navier–Stokes/Darcy coupled problem with nonlinear viscosity. Computer Methods in Applied Mechanics and Engineering, 2017, 315, 943-971.	6.6	15
45	A New Mixed Finite Element Method for Elastodynamics with Weak Symmetry. Journal of Scientific Computing, 2017, 72, 1049-1079.	2.3	7
46	Analysis of the HDG method for the stokes–darcy coupling. Numerical Methods for Partial Differential Equations, 2017, 33, 885-917.	3.6	23
47	A posteriori error analysis of an augmented mixed-primal formulation for the stationary Boussinesq model. Calcolo, 2017, 54, 1055-1095.	1.1	12
48	An augmented stress–based mixed finite element method for the steady state Navier–Stokes equations with nonlinear viscosity. Numerical Methods for Partial Differential Equations, 2017, 33, 1692-1725.	3.6	15
49	A mixed virtual element method for the Brinkman problem. Mathematical Models and Methods in Applied Sciences, 2017, 27, 707-743.	3.3	61
50	A fully-mixed finite element method for the Navier–Stokes/Darcy coupled problem with nonlinear viscosity. Journal of Numerical Mathematics, 2017, 25, .	3.5	20
51	A fully discrete scheme for the pressure–stress formulation of the time-domain fluid–structure interaction problem. Calcolo, 2017, 54, 1419-1439.	1.1	2
52	A mixed virtual element method for the pseudostress–velocity formulation of the Stokes problem. IMA Journal of Numerical Analysis, 2017, 37, 296-331.	2.9	79
53	Analysis of an augmented mixed–primal formulation for the stationary Boussinesq problem. Numerical Methods for Partial Differential Equations, 2016, 32, 445-478.	3.6	49
54	A posteriori error analysis for a viscous flow-transport problem. ESAIM: Mathematical Modelling and Numerical Analysis, 2016, 50, 1789-1816.	1.9	22

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55	An Augmented Mixed Finite Element Method for the Navier–Stokes Equations with Variable Viscosity. SIAM Journal on Numerical Analysis, 2016, 54, 1069-1092.	2.3	24
56	A vorticity-based fully-mixed formulation for the 3D Brinkman–Darcy problem. Computer Methods in Applied Mechanics and Engineering, 2016, 307, 68-95.	6.6	18
57	A posteriori error analysis of an augmented mixed method for the Navier–Stokes equations with nonlinear viscosity. Computers and Mathematics With Applications, 2016, 72, 2289-2310.	2.7	20
58	A Priori and a Posteriori Error Analyses of an Augmented HDG Method for a Class of Quasi-Newtonian Stokes Flows. Journal of Scientific Computing, 2016, 69, 1192-1250.	2.3	15
59	A primal-mixed formulation for the strong coupling of quasi-Newtonian fluids with porous media. Advances in Computational Mathematics, 2016, 42, 675-720.	1.6	2
60	A new mixed finite element analysis of the elastodynamic equations. Applied Mathematics Letters, 2016, 59, 48-55.	2.7	3
61	A priori and a posteriori error analyses of a pseudostress-based mixed formulation for linear elasticity. Computers and Mathematics With Applications, 2016, 71, 585-614.	2.7	32
62	Fixed point strategies for mixed variational formulations of the stationary Boussinesq problem. Comptes Rendus Mathematique, 2016, 354, 57-62.	0.3	17
63	A mixed-primal finite element approximation of a sedimentation–consolidation system. Mathematical Models and Methods in Applied Sciences, 2016, 26, 867-900.	3.3	18
64	A residual-based a posteriori error estimator for the plane linear elasticity problem with pure traction boundary conditions. Journal of Computational and Applied Mathematics, 2016, 292, 486-504.	2.0	4
65	A mixed finite element method for Darcy–Tomlinson equations with pressure dependent porosity. Mathematics of Computation, 2015, 85, 1-33.	2.1	17
66	An augmented mixed-primal finite element method for a coupled flow-transport problem. ESAIM: Mathematical Modelling and Numerical Analysis, 2015, 49, 1399-1427.	1.9	33
67	<a altimg="ei9.gif" display="inline" href="http://www.w3.org/1998/Math/MathML" overflow="scroll"> <math display="block">\mathbb{R} \times \mathbb{R}^k \times \mathbb{R}^6 \times \mathbb{R}^6</math> </a> for linear elasticity yielding a broken-mixed formulation. Applied Mathematics Letters, 2015, 49, 133-140.	2.7	6
68	New fully-mixed finite element methods for the Stokes–Darcy coupling. Computer Methods in Applied Mechanics and Engineering, 2015, 295, 362-395.	6.6	48
69	Analysis of an augmented pseudostress-based mixed formulation for a nonlinear Brinkman model of porous media flow. Computer Methods in Applied Mechanics and Engineering, 2015, 289, 104-130.	6.6	15
70	Analysis of an Augmented HDG Method for a Class of Quasi-Newtonian Stokes Flows. Journal of Scientific Computing, 2015, 65, 1270-1308.	2.3	26
71	An augmented velocity–vorticity–pressure formulation for the Brinkman equations. International Journal for Numerical Methods in Fluids, 2015, 79, 109-137.	1.6	36
72	Analysis of an augmented fully-mixed approach for the coupling of quasi-Newtonian fluids and porous media. Computer Methods in Applied Mechanics and Engineering, 2014, 270, 76-112.	6.6	20

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73	Analysis of a pseudostress-based mixed finite element method for the Brinkman model of porous media flow. <i>Numerische Mathematik</i> , 2014, 126, 635-677.	1.9	45
74	A Simple Introduction to the Mixed Finite Element Method. <i>SpringerBriefs in Mathematics</i> , 2014, , .	0.3	124
75	Mixed Finite Element Methods. <i>SpringerBriefs in Mathematics</i> , 2014, , 93-126.	0.3	7
76	BabuÅkaâ€“Brezzi Theory. <i>SpringerBriefs in Mathematics</i> , 2014, , 27-60.	0.3	0
77	Raviart-Thomas Spaces. <i>SpringerBriefs in Mathematics</i> , 2014, , 61-91.	0.3	0
78	A priori and a posteriori error analyses of augmented twofold saddle point formulations for nonlinear elasticity problems. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2013, 264, 23-48.	6.6	21
79	A prioriorror analysis of a fully-mixed finite element method for a two-dimensional fluid-solid interaction problem. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2013, 47, 471-506.	1.9	7
80	Pseudostress-Based Mixed Finite Element Methods for the Stokes Problem in $\mathbb{R}^n$ with Dirichlet Boundary Conditions. I: A Priori Error Analysis. <i>Communications in Computational Physics</i> , 2012, 12, 109-134.	1.7	12
81	Analysis of the Coupling of Lagrange and Arnold–Falk–Winther Finite Elements for a Fluid-Solid Interaction Problem in Three Dimensions. <i>SIAM Journal on Numerical Analysis</i> , 2012, 50, 1648-1674.	2.3	18
82	Relaxing the hypotheses of Bielakâ€“MacCamyâ€™s BEMâ€“FEM coupling. <i>Numerische Mathematik</i> , 2012, 120, 465-487.	1.9	21
83	Analysis of fully-mixed finite element methods for the Stokes-Darcy coupled problem. <i>Mathematics of Computation</i> , 2011, 80, 1911-1948.	2.1	75
84	A priori and a posteriori error analyses of a velocity-pseudostress formulation for a class of quasi-Newtonian Stokes flows. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2011, 200, 1619-1636.	6.6	45
85	A residual-based a posteriori error estimator for a fully-mixed formulation of the Stokesâ€“Darcy coupled problem. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2011, 200, 1877-1891.	6.6	59
86	Augmented mixed finite element methods for a vorticityâ€“based velocityâ€“pressureâ€“stress formulation of the Stokes problem in 2D. <i>International Journal for Numerical Methods in Fluids</i> , 2011, 67, 450-477.	1.6	11
87	Analysis of a velocityâ€“pressureâ€“pseudostress formulation for the stationary Stokes equations. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2010, 199, 1064-1079.	6.6	77
88	A Coupled Mixed Finite Element Method for the Interaction Problem between an Electromagnetic Field and an Elastic Body. <i>SIAM Journal on Numerical Analysis</i> , 2010, 48, 1338-1368.	2.3	22
89	A Residual-Based A Posteriori Error Estimator for the Stokesâ€“Darcy Coupled Problem. <i>SIAM Journal on Numerical Analysis</i> , 2010, 48, 498-523.	2.3	78
90	A residual-based a posteriori error estimator for a two-dimensional fluidâ€“solid interaction problem. <i>Numerische Mathematik</i> , 2009, 114, 63-106.	1.9	25

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91	An augmented mixed finite element method for 3D linear elasticity problems. <i>Journal of Computational and Applied Mathematics</i> , 2009, 231, 526-540.	2.0	22
92	Augmented Mixed Finite Element Methods for the Stationary Stokes Equations. <i>SIAM Journal of Scientific Computing</i> , 2009, 31, 1082-1119.	2.8	43
93	A new dual-mixed finite element method for the plane linear elasticity problem with pure traction boundary conditions. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2008, 197, 1115-1130.	6.6	18
94	A priori and a posteriori error analysis of an augmented mixed finite element method for incompressible fluid flows. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2008, 198, 280-291.	6.6	16
95	Analysis of the Coupling of Primal and Dual-Mixed Finite Element Methods for a Two-Dimensional Fluid-Solid Interaction Problem. <i>SIAM Journal on Numerical Analysis</i> , 2007, 45, 2072-2097.	2.3	33
96	An augmented mixed finite element method with Lagrange multipliers: A priori and a posteriori error analyses. <i>Journal of Computational and Applied Mathematics</i> , 2007, 200, 653-676.	2.0	14
97	A residual based A POSTERIORI error estimator for an augmented mixed finite element method in linear elasticity. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2006, 40, 843-869.	1.9	37
98	Analysis of a new augmented mixed finite element method for linear elasticity allowing $\mathbb{RT}_0$ - $\mathbb{P}_1$ - $\mathbb{P}_0$ approximations. <i>ESAIM: Mathematical Modelling and Numerical Analysis</i> , 2006, 40, 1-28.	1.9	64
99	On the a priori and a posteriori error analysis of a two-fold saddle-point approach for nonlinear incompressible elasticity. <i>International Journal for Numerical Methods in Engineering</i> , 2006, 68, 861-892.	2.8	10
100	A mixed local discontinuous Galerkin method for a class of nonlinear problems in fluid mechanics. <i>Journal of Computational Physics</i> , 2005, 207, 427-456.	3.8	23
101	A posteriori error estimates for the mixed finite element method with Lagrange multipliers. <i>Numerical Methods for Partial Differential Equations</i> , 2005, 21, 421-450.	3.6	14
102	An A Posteriori Error Estimate for the Local Discontinuous Galerkin Method Applied to Linear and Nonlinear Diffusion Problems. <i>Journal of Scientific Computing</i> , 2005, 22-23, 147-185.	2.3	52
103	A mixed finite element method for the generalized Stokes problem. <i>International Journal for Numerical Methods in Fluids</i> , 2005, 49, 877-903.	1.6	12
104	A low-order mixed finite element method for a class of quasi-Newtonian Stokes flows. Part I: a priori error analysis. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2004, 193, 881-892.	6.6	46
105	A Local Discontinuous Galerkin Method for Nonlinear Diffusion Problems with Mixed Boundary Conditions. <i>SIAM Journal of Scientific Computing</i> , 2004, 26, 152-177.	2.8	47
106	On the mixed finite element method with Lagrange multipliers. <i>Numerical Methods for Partial Differential Equations</i> , 2003, 19, 192-210.	3.6	52
107	A Dual-Dual Formulation for the Coupling of Mixed-FEM and BEM in Hyperelasticity. <i>SIAM Journal on Numerical Analysis</i> , 2000, 38, 380-400.	2.3	37
108	Coupling of mixed finite elements and boundary elements for linear and nonlinear elliptic problems. <i>Applicable Analysis</i> , 1996, 63, 39-75.	1.3	50

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109	The coupling of boundary integral and finite element methods for nonmonotone nonlinear problems— Numerical Functional Analysis and Optimization, 1992, 13, 431-447.	1.4	15
110	On the coupled BEM and FEM for a nonlinear exterior Dirichlet problem in $\mathbb{R}^2$ . Numerische Mathematik, 1992, 61, 171-214.	1.9	76
111	The Coupling of Boundary Element and Finite Element Methods for a Nonlinear Exterior Boundary Value Problem. Zeitschrift Fur Analysis Und Ihre Anwendung, 1989, 8, 377-387.	0.6	38
112	A fully-mixed finite element method for the steady state Oberbeck—Boussinesq system. SMAI Journal of Computational Mathematics, 0, 6, 125-157.	0.0	9
113	An $L_p$ spaces-based mixed virtual element method for the two-dimensional Navier-Stokes equations. Mathematical Models and Methods in Applied Sciences, 0, , .	3.3	4