Maria Asuncion Beitia Gomez De Segura

List of Publications by Year
in descending order

14 papers	66 citations	1684188 5 h-index	1588992 8 g-index
14 all docs	14 docs citations	14 times ranked	36 citing authors

#	Article	IF	Citations
1	A refined Wiener–Hopf equivalence relation for polynomial matrices. Linear Algebra and Its Applications, 2016, 506, 342-362.	0.9	1
2	Canonical form associated with the problem of perturbation of one column of a controllable pair. Linear Algebra and Its Applications, 2013, 438, 1587-1626.	0.9	2
3	The change of the Brunovsky structure of a controllable pair under one column perturbation in a particular case. Linear Algebra and Its Applications, 2012, 436, 1572-1588.	0.9	3
4	Realizations of perturbations of an observable pair with prescribed indices. Linear Algebra and Its Applications, 2011, 434, 1325-1335.	0.9	0
5	The change of feedback invariants under column perturbations: particular cases. Linear and Multilinear Algebra, 2010, 58, 45-59.	1.0	5
6	Structured perturbation of the Brunovsky form: A particular case. Linear Algebra and Its Applications, 2009, 430, 1613-1625.	0.9	2
7	The change of similarity invariants under row perturbations. Linear Algebra and Its Applications, 2008, 429, 1302-1333.	0.9	7
8	The change of similarity invariants under row perturbations: Generic cases. Linear Algebra and Its Applications, 2008, 429, 482-496.	0.9	7
9	The change of the Jordan structure under one row perturbations. Linear Algebra and Its Applications, 2005, 401, 119-134.	0.9	18
10	Equivalence of quadruples and feedback equivalence of related pairs. Linear Algebra and Its Applications, 2005, 401, 353-369.	0.9	0
11	Sylvester matrix equation for matrix pencils. Linear Algebra and Its Applications, 1996, 232, 155-197.	0.9	10
12	Local behavior of Sylvester matrix equations related to block similarity. Linear Algebra and Its Applications, 1994, 199, 253-279.	0.9	2
13	A linear matrix equation: a criterion for block similarity. Linear and Multilinear Algebra, 1992, 31, 93-118.	1.0	6
14	Factorization of the matrix polynomial $A(\lambda) = A_0 \lambda^t + A_1 \lambda^{t-1} + \cdots + A_t^{-1} \lambda + A_t$. Linear Algebra and Its Applications, 1989, 121, 423-432.	0.9	3