

Akbar Mohebbi

List of Publications by Year in descending order

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44
papers

2,019
citations

218592

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999
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#	ARTICLE	IF	CITATIONS
1	Finite difference/spectral element method for one and two-dimensional Riesz space fractional advection–dispersion equations. <i>Mathematics and Computers in Simulation</i> , 2022, 193, 348-370.	2.4	6
2	A novel ADI Galerkin spectral element method for the solution of two-dimensional time fractional subdiffusion equation. <i>International Journal of Computer Mathematics</i> , 2021, 98, 845-867.	1.0	3
3	The Galerkin spectral element method for the solution of two-dimensional multiterm time fractional diffusion–wave equation. <i>Mathematical Methods in the Applied Sciences</i> , 2021, 44, 2842-2858.	1.2	4
4	An efficient numerical method for the solution of 2D variable order time fractional mobile–immobile advection–dispersion model. <i>Mathematical Methods in the Applied Sciences</i> , 2021, 44, 5908-5929.	1.2	3
5	Numerical solution of two and three dimensional time fractional damped nonlinear Klein–Gordon equation using ADI spectral element method. <i>Applied Mathematics and Computation</i> , 2021, 405, 126182.	1.4	3
6	Finite difference and spectral collocation methods for the solution of semilinear time fractional convection-reaction-diffusion equations with time delay. <i>Journal of Applied Mathematics and Computing</i> , 2019, 61, 635-656.	1.2	10
7	Crank–Nicolson and Legendre spectral collocation methods for a partial integro-differential equation with a singular kernel. <i>Journal of Computational and Applied Mathematics</i> , 2019, 349, 197-206.	1.1	8
8	Fast and high-order numerical algorithms for the solution of multidimensional nonlinear fractional Ginzburg-Landau equation. <i>European Physical Journal Plus</i> , 2018, 133, 1.	1.2	15
9	Analysis of a Numerical Method for the Solution of Time Fractional Burgers Equation. <i>Bulletin of the Iranian Mathematical Society</i> , 2018, 44, 457-480.	0.4	14
10	Solitary wave solution of nonlinear Benjamin–Bona–Mahony–Burgers equation using a high-order difference scheme. <i>Computational and Applied Mathematics</i> , 2017, 36, 915-927.	1.3	12
11	Compact finite difference scheme for the solution of a time fractional partial integro-differential equation with a weakly singular kernel. <i>Mathematical Methods in the Applied Sciences</i> , 2017, 40, 7627-7639.	1.2	18
12	Analysis of a meshless method for the time fractional diffusion-wave equation. <i>Numerical Algorithms</i> , 2016, 73, 445-476.	1.1	72
13	Analysis of two methods based on Galerkin weak form for fractional diffusion-wave: Meshless interpolating element free Galerkin (IEFG) and finite element methods. <i>Engineering Analysis With Boundary Elements</i> , 2016, 64, 205-221.	2.0	38
14	Legendre spectral element method for solving time fractional modified anomalous sub-diffusion equation. <i>Applied Mathematical Modelling</i> , 2016, 40, 3635-3654.	2.2	68
15	The use of element free Galerkin method based on moving Kriging and radial point interpolation techniques for solving some types of Turing models. <i>Engineering Analysis With Boundary Elements</i> , 2016, 62, 93-111.	2.0	33
16	A numerical algorithm for determination of a control parameter in two-dimensional parabolic inverse problems. <i>Acta Mathematicae Applicatae Sinica</i> , 2015, 31, 213-224.	0.4	6
17	A meshless technique based on the local radial basis functions collocation method for solving parabolic–parabolic Patlak–Keller–Segel chemotaxis model. <i>Engineering Analysis With Boundary Elements</i> , 2015, 56, 129-144.	2.0	40
18	The use of interpolating element-free Galerkin technique for solving 2D generalized Benjamin–Bona–Mahony–Burgers and regularized long-wave equations on non-rectangular domains with error estimate. <i>Journal of Computational and Applied Mathematics</i> , 2015, 286, 211-231.	1.1	93

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19	The numerical solution of the two-dimensional sinh-Gordon equation via three meshless methods. <i>Engineering Analysis With Boundary Elements</i> , 2015, 51, 220-235.	2.0	25
20	Error estimate for the numerical solution of fractional reaction-subdiffusion process based on a meshless method. <i>Journal of Computational and Applied Mathematics</i> , 2015, 280, 14-36.	1.1	84
21	An implicit RBF meshless approach for solving the time fractional nonlinear sine-Gordon and Klein-Gordon equations. <i>Engineering Analysis With Boundary Elements</i> , 2015, 50, 412-434.	2.0	112
22	A fourth-order compact difference scheme for the parabolic inverse problem with an overspecification at a point. <i>Inverse Problems in Science and Engineering</i> , 2015, 23, 457-478.	1.2	14
23	High-order difference scheme for the solution of linear time fractional Klein-Gordon equations. <i>Numerical Methods for Partial Differential Equations</i> , 2014, 30, 1234-1253.	2.0	41
24	Solution of two-dimensional modified anomalous fractional sub-diffusion equation via radial basis functions (RBF) meshless method. <i>Engineering Analysis With Boundary Elements</i> , 2014, 38, 72-82.	2.0	47
25	The numerical solution of nonlinear high dimensional generalized Benjamin-Bona-Mahony-Burgers equation via the meshless method of radial basis functions. <i>Computers and Mathematics With Applications</i> , 2014, 68, 212-237.	1.4	133
26	Compact finite difference scheme for the solution of time fractional advection-dispersion equation. <i>Numerical Algorithms</i> , 2013, 63, 431-452.	1.1	47
27	A fourth-order compact solution of the two-dimensional modified anomalous fractional sub-diffusion equation with a nonlinear source term. <i>Computers and Mathematics With Applications</i> , 2013, 66, 1345-1359.	1.4	50
28	The use of a meshless technique based on collocation and radial basis functions for solving the time fractional nonlinear Schrödinger equation arising in quantum mechanics. <i>Engineering Analysis With Boundary Elements</i> , 2013, 37, 475-485.	2.0	145
29	Compact finite difference scheme and RBF meshless approach for solving 2D Rayleigh-Stokes problem for a heated generalized second grade fluid with fractional derivatives. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2013, 264, 163-177.	3.4	55
30	A high-order and unconditionally stable scheme for the modified anomalous fractional sub-diffusion equation with a nonlinear source term. <i>Journal of Computational Physics</i> , 2013, 240, 36-48.	1.9	99
31	Numerical Solution of Nonlinear Kaup-Kupershmit Equation, KdV-KdV and Hirota-Satsuma Systems. <i>International Journal of Nonlinear Sciences and Numerical Simulation</i> , 2012, 13, 479-486.	0.4	2
32	Solitary wave solutions of the nonlinear generalized Pochhammer-Chree and regularized long wave equations. <i>Nonlinear Dynamics</i> , 2012, 70, 2463-2474.	2.7	20
33	Numerical solution of nonlinear Jaulent-Miodek and Whitham-Broer-Kaup equations. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2012, 17, 4602-4610.	1.7	12
34	Efficient numerical algorithms for the solution of good Boussinesq equation in water wave propagation. <i>Computer Physics Communications</i> , 2011, 182, 2464-2470.	3.0	14
35	High-order compact solution of the one-dimensional heat and advection-diffusion equations. <i>Applied Mathematical Modelling</i> , 2010, 34, 3071-3084.	2.2	129
36	High-order solution of one-dimensional sine-Gordon equation using compact finite difference and DIRKN methods. <i>Mathematical and Computer Modelling</i> , 2010, 51, 537-549.	2.0	79

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37	High-order scheme for determination of a control parameter in an inverse problem from the over-specified data. <i>Computer Physics Communications</i> , 2010, 181, 1947-1954.	3.0	33
38	High order implicit collocation method for the solution of two-dimensional linear hyperbolic equation. <i>Numerical Methods for Partial Differential Equations</i> , 2009, 25, 232-243.	2.0	82
39	Fourth-order compact solution of the nonlinear Klein-Gordon equation. <i>Numerical Algorithms</i> , 2009, 52, 523-540.	1.1	76
40	The use of compact boundary value method for the solution of two-dimensional Schrödinger equation. <i>Journal of Computational and Applied Mathematics</i> , 2009, 225, 124-134.	1.1	69
41	Direct numerical method for an inverse problem of a parabolic partial differential equation. <i>Journal of Computational and Applied Mathematics</i> , 2009, 232, 351-360.	1.1	30
42	The combination of collocation, finite difference, and multigrid methods for solution of the two-dimensional wave equation. <i>Numerical Methods for Partial Differential Equations</i> , 2008, 24, 897-910.	2.0	34
43	High order compact solution of the one-space-dimensional linear hyperbolic equation. <i>Numerical Methods for Partial Differential Equations</i> , 2008, 24, 1222-1235.	2.0	81
44	High-order compact boundary value method for the solution of unsteady convection-diffusion problems. <i>Mathematics and Computers in Simulation</i> , 2008, 79, 683-699.	2.4	60