

Baoguo Jia

List of Publications by Year in descending order

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#	ARTICLE	IF	CITATIONS
1	Monotonicity results for nabla fractional $\langle i \rangle h \langle /i \rangle$ -difference operators. <i>Mathematical Methods in the Applied Sciences</i> , 2021, 44, 1207-1218.	1.2	23
2	A generalized fractional $(q, \hat{\alpha} \% h)$ -Gronwall inequality and its applications to nonlinear fractional delay $(q, \hat{\alpha} \% h)$ -difference systems. <i>Mathematical Methods in the Applied Sciences</i> , 2021, 44, 10513-10529.	1.2	8
3	Finite time stability of fractional delay difference systems: A discrete delayed Mittag-Leffler matrix function approach. <i>Chaos, Solitons and Fractals</i> , 2020, 141, 110430.	2.5	13
4	Existence and uniqueness of solutions for nonlinear Caputo fractional difference equations. <i>Turkish Journal of Mathematics</i> , 2020, 44, 857-869.	0.3	12
5	Discrete fractional Bihari inequality and uniqueness theorem of solutions of nabla fractional difference equations with non-Lipschitz nonlinearities. <i>Applied Mathematics and Computation</i> , 2020, 376, 125118.	1.4	4
6	Caputo fractional continuous cobweb models. <i>Journal of Computational and Applied Mathematics</i> , 2020, 374, 112734.	1.1	7
7	Asymptotic stability of fractional difference equations with bounded time delays. <i>Fractional Calculus and Applied Analysis</i> , 2020, 23, 571-590.	1.2	15
8	Some new results for nonlinear fractional $\$h\$$ -difference systems with $\hat{\alpha} \in \text{maxima}$. <i>Rocky Mountain Journal of Mathematics</i> , 2020, 50, .	0.2	0
9	Ulam-Hyers stability of Caputo fractional difference equations. <i>Mathematical Methods in the Applied Sciences</i> , 2019, 42, 7461-7470.	1.2	52
10	Finite-time stability of a class of nonlinear fractional delay difference systems. <i>Applied Mathematics Letters</i> , 2019, 98, 233-239.	1.5	31
11	Stability analysis for a class of nabla $(q; h)$ -fractional difference equations. <i>Turkish Journal of Mathematics</i> , 2019, 43, 664-687.	0.3	11
12	Gronwall's inequality for a nabla fractional difference system with a retarded argument and an application. <i>Journal of Difference Equations and Applications</i> , 2019, 25, 855-868.	0.7	8
13	Method of Upper and Lower Solutions for Nonlinear Caputo Fractional Difference Equations and Its Applications. <i>Fractional Calculus and Applied Analysis</i> , 2019, 22, 1307-1320.	1.2	21
14	Asymptotic stability of (q, h) -fractional difference equations. <i>Applied Mathematics and Computation</i> , 2019, 349, 158-167.	1.4	4
15	A generalized $\langle i \rangle h \langle /i \rangle$ -fractional Gronwall's inequality and its applications for nonlinear $\langle i \rangle h \langle /i \rangle$ -fractional difference systems with $\hat{\alpha} \in \text{maxima}$. <i>Journal of Difference Equations and Applications</i> , 2019, 25, 815-836.	0.7	7
16	Asymptotic behavior of solutions of fractional nabla q -difference equations. <i>Georgian Mathematical Journal</i> , 2019, 26, 21-28.	0.2	2
17	Two asymptotic results of solutions for nabla fractional $(q; h)$ -difference equations. <i>Turkish Journal of Mathematics</i> , 2018, 42, 2214-2242.	0.3	12
18	The solution of a new Caputo-like fractional $\$h\$$ -difference equation. <i>Rocky Mountain Journal of Mathematics</i> , 2018, 48, .	0.2	8

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19	Existence and Uniqueness Theorem of the Solution to a Class of Nonlinear Nabla Fractional Difference System with a Time Delay. <i>Mediterranean Journal of Mathematics</i> , 2018, 15, 1.	0.4	21
20	ASYMPTOTIC BEHAVIOR OF NABLA HALF ORDER H-DIFFERENCE EQUATIONS. <i>Journal of Applied Analysis and Computation</i> , 2018, 8, 1707-1726.	0.2	7
21	Liapunov functional and stability of linear nabla (q, h)-fractional difference equations. <i>Journal of Difference Equations and Applications</i> , 2017, 23, 1974-1985.	0.7	6
22	Monotonicity results for delta fractional differences revisited. <i>Mathematica Slovaca</i> , 2017, 67, 895-906.	0.3	24
23	Monotonicity and convexity for nabla fractional (q, h)-differences. <i>Journal of Difference Equations and Applications</i> , 2016, 22, 1224-1243.	0.7	32
24	Survey of the qualitative properties of fractional difference operators: monotonicity, convexity, and asymptotic behavior of solutions. <i>Advances in Difference Equations</i> , 2016, 2016, .	3.5	44
25	Nonlinear oscillation of second-order neutral dynamic equations with distributed delay. <i>Mathematical Methods in the Applied Sciences</i> , 2016, 39, 202-213.	1.2	3
26	Two monotonicity results for nabla and delta fractional differences. <i>Archiv Der Mathematik</i> , 2015, 104, 589-597.	0.3	53
27	Oscillation of Certain Emden-Fowler Dynamic Equations on Time Scales. <i>Abstract and Applied Analysis</i> , 2014, 2014, 1-6.	0.3	0
28	A Butler-type oscillation theorem for second-order dynamic equations on discrete timescales. <i>Journal of Difference Equations and Applications</i> , 2014, 20, 671-684.	0.7	2
29	Nonoscillatory Solutions of Second-Order Superlinear Dynamic Equations with Integrable Coefficients. <i>Abstract and Applied Analysis</i> , 2012, 2012, 1-16.	0.3	0
30	Behorec-type oscillation theorem for second order sublinear dynamic equations on time scales. <i>Mathematische Nachrichten</i> , 2011, 284, 1658-1668.	0.4	9
31	Forced Oscillation of Second-Order Half-Linear Dynamic Equations on Time Scales. <i>Abstract and Applied Analysis</i> , 2010, 2010, 1-10.	0.3	4
32	Maximum density for the Sierpinski carpet. <i>Computers and Mathematics With Applications</i> , 2009, 57, 1615-1621.	1.4	4
33	Wong's comparison theorem for second order linear dynamic equations on time scales. <i>Journal of Mathematical Analysis and Applications</i> , 2009, 349, 556-567.	0.5	4
34	New comparison and oscillation theorems for second-order half-linear dynamic equations on time scales. <i>Computers and Mathematics With Applications</i> , 2008, 56, 2744-2756.	1.4	10
35	Bounds of the Hausdorff measure of the Koch curve. <i>Applied Mathematics and Computation</i> , 2007, 190, 559-565.	1.4	5
36	Bounds of Hausdorff measure of the Sierpinski gasket. <i>Journal of Mathematical Analysis and Applications</i> , 2007, 330, 1016-1024.	0.5	15

#	ARTICLE	IF	CITATIONS
37	An answer to a conjecture on self-similar sets. <i>Analysis in Theory and Applications</i> , 2007, 23, 9-15.	0.1	2
38	Bounds of the Hausdorff Measure of Sierpinski carpet. <i>Analysis in Theory and Applications</i> , 2006, 22, 362-376.	0.1	2