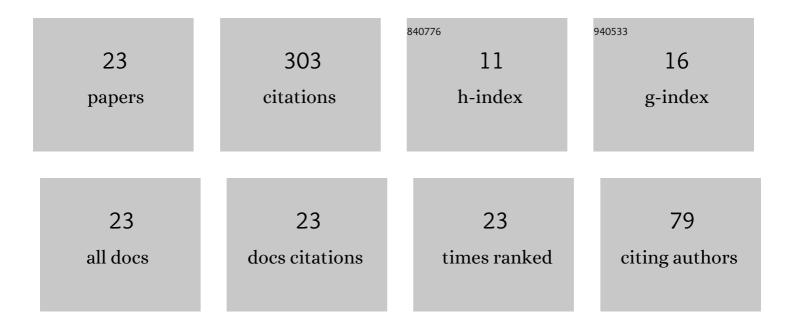
Vahagn Nersesyan

List of Publications by Year in descending order

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#	Article	IF	CITATIONS
1	Global approximate controllability for Schrödinger equation in higher Sobolev norms and applications. Annales De L'Institut Henri Poincare (C) Analyse Non Lineaire, 2010, 27, 901-915.	1.4	51
2	Growth of Sobolev Norms and Controllability of the Schrödinger Equation. Communications in Mathematical Physics, 2009, 290, 371-387.	2.2	50
3	Exponential mixing for a class of dissipative PDEs with bounded degenerate noise. Geometric and Functional Analysis, 2020, 30, 126-187.	1.8	26
4	Global exact controllability in infinite time of SchrĶdinger equation. Journal Des Mathematiques Pures Et Appliquees, 2012, 97, 295-317.	1.6	24
5	Semi-global weak stabilization of bilinear SchrĶdinger equations. Comptes Rendus Mathematique, 2010, 348, 1073-1078.	0.3	19
6	Large Deviations and Gallavotti–Cohen Principle for Dissipative PDEs with Rough Noise. Communications in Mathematical Physics, 2015, 336, 131-170.	2.2	19
7	Simultaneous global exact controllability of an arbitrary number of 1d bilinear Schrödinger equations. Journal Des Mathematiques Pures Et Appliquees, 2015, 103, 228-254.	1.6	15
8	Large Deviations from a Stationary Measure for a Class of Dissipative PDEs with Random Kicks. Communications on Pure and Applied Mathematics, 2015, 68, 2108-2143.	3.1	14
9	Stochastic CGL equations without linear dispersion in any space dimension. Stochastics and Partial Differential Equations: Analysis and Computations, 2013, 1, 389-423.	0.9	13
10	Polynomial mixing for the complex Ginzburg–Landau equation perturbed by a random force at random times. Journal of Evolution Equations, 2008, 8, 1-29.	1.1	12
11	Approximate controllability of Lagrangian trajectories of the 3D Navier–Stokes system by a finite-dimensional force. Nonlinearity, 2015, 28, 825-848.	1.4	11
12	Mixing via controllability for randomlyÂforced nonlinear dissipative PDEs. Journal De L'Ecole Polytechnique - Mathematiques, 0, 7, 871-896.	0.0	10
13	Large deviations and mixing for dissipative PDEs with unbounded random kicks. Nonlinearity, 2018, 31, 540-596.	1.4	8
14	Approximate controllability of nonlinear parabolic PDEs in arbitrary space dimension. Mathematical Control and Related Fields, 2021, 11, 1-15.	1.1	7
15	Global exact controllability of 1d SchrĶdinger equations with a polarizability term. Comptes Rendus Mathematique, 2014, 352, 425-429.	0.3	6
16	Large deviations for the Navier–Stokes equations driven by a white-in-time noise. , 0, 2, 481-513.		6
17	A Proof of Approximate Controllability of the 3D NavierStokes System via a Linear Test. SIAM Journal on Control and Optimization, 2021, 59, 2411-2427.	2.1	3
18	Large Deviations and Entropy Production in Viscous Fluid Flows. Archive for Rational Mechanics and Analysis, 2021, 240, 1675-1725.	2.4	3

VAHAGN NERSESYAN

#	Article	IF	CITATIONS
19	Multiplicative ergodic theorem for a non-irreducible random dynamical system. Journal of Differential Equations, 2020, 268, 3564-3598.	2.2	2
20	Ergodicity for the Randomly Forced Navier–Stokes System in a Two-Dimensional Unbounded Domain. Annales Henri Poincare, 0, , 1.	1.7	2
21	Exponential mixing under controllability conditions for sdes driven by a degenerate Poisson noise. Stochastic Processes and Their Applications, 2021, 138, 26-55.	0.9	1
22	Large deviations results for the stochastic Navier–Stokes equations. Séminaire Laurent Schwartz — EDP Et Applications, 0, , 1-10.	0.0	1
23	Exponential mixing for finite-dimensional approximations of the Schrödinger equation with multiplicative noise. Dynamics of Partial Differential Equations, 2009, 6, 167-183.	0.9	0