Peter W Bates

List of Publications by Year in descending order

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186265 182427 3,661 51 28 51 h-index citations g-index papers 52 52 52 987 citing authors all docs docs citations times ranked

#	Article	IF	CITATIONS
1	Traveling Waves in a Convolution Model for Phase Transitions. Archive for Rational Mechanics and Analysis, 1997, 138, 105-136.	2.4	432
2	Random attractors for stochastic reaction–diffusion equations on unbounded domains. Journal of Differential Equations, 2009, 246, 845-869.	2.2	307
3	Convergence of the Cahn-Hilliard equation to the Hele-Shaw model. Archive for Rational Mechanics and Analysis, 1994, 128, 165-205.	2.4	277
4	ATTRACTORS FOR STOCHASTIC LATTICE DYNAMICAL SYSTEMS. Stochastics and Dynamics, 2006, 06, 1-21.	1.2	244
5	ATTRACTORS FOR LATTICE DYNAMICAL SYSTEMS. International Journal of Bifurcation and Chaos in Applied Sciences and Engineering, 2001, 11, 143-153.	1.7	206
6	A Discrete Convolution Model¶for Phase Transitions. Archive for Rational Mechanics and Analysis, 1999, 150, 281-368.	2.4	165
7	Slow motion for the Cahn-Hilliard equation in one space dimension. Journal of Differential Equations, 1991, 90, 81-135.	2.2	163
8	An Integrodifferential Model for Phase Transitions: Stationary Solutions in Higher Space Dimensions. Journal of Statistical Physics, 1999, 95, 1119-1139.	1.2	150
9	Existence, uniqueness and stability of the stationary solution to a nonlocal evolution equation arising in population dispersal. Journal of Mathematical Analysis and Applications, 2007, 332, 428-440.	1.0	147
10	The Dynamics of Nucleation for the Cahn–Hilliard Equation. SIAM Journal on Applied Mathematics, 1993, 53, 990-1008.	1.8	137
11	Attractors of non-autonomous stochastic lattice systems in weighted spaces. Physica D: Nonlinear Phenomena, 2014, 289, 32-50.	2.8	114
12	Traveling Waves of Bistable Dynamics on a Lattice. SIAM Journal on Mathematical Analysis, 2003, 35, 520-546.	1.9	112
13	The Neumann boundary problem for a nonlocal Cahn–Hilliard equation. Journal of Differential Equations, 2005, 212, 235-277.	2.2	86
14	Equilibria with Many Nuclei for the Cahn–Hilliard Equation. Journal of Differential Equations, 2000, 160, 283-356.	2.2	76
15	Spectral comparison principles for the Cahn-Hilliard and phase-field equations, and time scales for coarsening. Physica D: Nonlinear Phenomena, 1990, 43, 335-348.	2.8	75
16	Geometric and potential driving formation and evolution of biomolecular surfaces. Journal of Mathematical Biology, 2009, 59, 193-231.	1.9	75
17	Existence and persistence of invariant manifolds for semiflows in Banach space. Memoirs of the American Mathematical Society, 1998, 135, 0-0.	0.9	73
18	Approximately invariant manifolds and global dynamics of spike states. Inventiones Mathematicae, 2008, 174, 355-433.	2.5	59

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19	Invariant foliations near normally hyperbolic invariant manifolds for semiflows. Transactions of the American Mathematical Society, 2000, 352, 4641-4676.	0.9	58
20	Existence and instability of spike layer solutions to singular perturbation problems. Journal of Functional Analysis, 2002, 196, 211-264.	1.4	58
21	The Dirichlet boundary problem for a nonlocal Cahn–Hilliard equation. Journal of Mathematical Analysis and Applications, 2005, 311, 289-312.	1.0	56
22	Dynamics of the 3-D fractional complex Ginzburg–Landau equation. Journal of Differential Equations, 2015, 259, 5276-5301.	2.2	56
23	Inertial manifolds and inertial sets for the phase-field equations. Journal of Dynamics and Differential Equations, 1992, 4, 375-398.	1.9	48
24	Persistence of overflowing manifolds for semiflow. Communications on Pure and Applied Mathematics, 1999, 52, 983-1046.	3.1	41
25	Asymptotic behavior of stochastic fractional power dissipative equations on <mmi:math altimg="si1.gif" display="inline" overflow="scroll" xmlns:mml="http://www.w3.org/1998/Math/MathML"><mml:msup><mml:mrow><mml:mi mathvariant="double-struck">R</mml:mi></mml:mrow><mml:mrow><mml:mrow><mml:mi>n</mml:mi>n</mml:mrow></mml:mrow>n<td>1.1 l:msup><!--</td--><td>41 mml:math>.</td></td></mml:msup></mmi:math>	1.1 l:msup> </td <td>41 mml:math>.</td>	41 mml:math>.
26	Nonlinear Analysis: Theory, Methods & Applications, 2015, 128, 176-198. Dynamics of the 3D fractional Ginzburg–Landau equation with multiplicative noise on an unbounded domain. Communications in Mathematical Sciences, 2016, 14, 273-295.	1.0	36
27	Spectral analysis of traveling waves for nonlocal evolution equations. SIAM Journal on Mathematical Analysis, 2006, 38, 116-126.	1.9	33
28	Nucleation of Instability of the Meissner State of 3-Dimensional Superconductors. Communications in Mathematical Physics, 2007, 276, 571-610.	2.2	30
29	Heteroclinic solutions of a van der Waals model with indefinite nonlocal interactions. Calculus of Variations and Partial Differential Equations, 2005, 24, 261-281.	1.7	27
30	Individual Flux Study via Steady-State Poisson-Nernst-Planck Systems: Effects from Boundary Conditions. SIAM Journal on Applied Dynamical Systems, 2017, 16, 410-430.	1.6	24
31	On a nonlocal phase-field system. Nonlinear Analysis: Theory, Methods & Applications, 2006, 64, 2251-2278.	1.1	23
32	Normally hyperbolic invariant manifolds for random dynamical systems: Part I - persistence. Transactions of the American Mathematical Society, 2013, 365, 5933-5966.	0.9	22
33	Tempered random attractors for parabolic equations in weighted spaces. Journal of Mathematical Physics, 2013, 54, 081505.	1.1	18
34	Mathematical studies of Poisson–Nernst–Planck model for membrane channels: Finite ion size effects without electroneutrality boundary conditions. Journal of Computational and Applied Mathematics, 2019, 362, 510-527.	2.0	17
35	Global dynamics of boundary droplets. Discrete and Continuous Dynamical Systems, 2014, 34, 1-17.	0.9	17
36	lon size and valence effects on ionic flows via Poisson–Nernst–Planck models. Communications in Mathematical Sciences, 2017, 15, 881-901.	1.0	17

#	Article	IF	CITATIONS
37	Small Permanent Charge Effects on Individual Fluxes via Poisson–Nernst–Planck Models with Multiple Cations. Journal of Nonlinear Science, 2021, 31, 1.	2.1	16
38	Dynamics of ionic flows via Poisson-Nernst-Planck systems with local hard-sphere potentials: Competition between cations. Mathematical Biosciences and Engineering, 2020, 17, 3736-3766.	1.9	16
39	Invariant foliations for random dynamical systems. Discrete and Continuous Dynamical Systems, 2014, 34, 3639-3666.	0.9	15
40	Heteroclinic orbits for a higher order phase transition problem. European Journal of Applied Mathematics, 1997, 8, 149-163.	2.9	13
41	Mullins-Sekerka motion of small droplets on a fixed boundary. Journal of Geometric Analysis, 2000, 10, 575-596.	1.0	13
42	Geometric singular perturbation theory with real noise. Journal of Differential Equations, 2015, 259, 5137-5167.	2.2	13
43	Multiphase Solutions to the Vector Allen–Cahn Equation: Crystalline and Other Complex Symmetric Structures. Archive for Rational Mechanics and Analysis, 2017, 225, 685-715.	2.4	10
44	Entire Solutions with Six-fold Junctions to Elliptic Gradient Systems with Triangle Symmetry. Advanced Nonlinear Studies, 2013, 13, 1-11.	1.7	9
45	Transition layer solutions of a higher order equation in an infinite tube. Communications in Partial Differential Equations, 1996, 21, 109-145.	2.2	7
46	Persistence of overflowing manifolds for semiflow. Communications on Pure and Applied Mathematics, 1999, 52, 983-1046.	3.1	6
47	Gradient Dynamics: Motion Near a Manifold of Quasi-Equilibria. SIAM Journal on Applied Dynamical Systems, 2018, 17, 2106-2145.	1.6	5
48	Invariant manifolds of interior multi-spike states for the Cahn-Hilliard equation in higher space dimensions. Transactions of the American Mathematical Society, 2016, 369, 3937-3975.	0.9	3
49	Singular fold with real noise. Discrete and Continuous Dynamical Systems - Series B, 2016, 21, 2091-2107.	0.9	3
50	The spectral collocation method for efficiently solving PDEs with fractional Laplacian. Advances in Computational Mathematics, 2018, 44, 861-878.	1.6	2
51	Existence of global solution for a differential system with initial data inLp. International Journal of Mathematics and Mathematical Sciences, 1999, 22, 823-834.	0.7	0