

# Xiaoli

## List of Publications by Year in descending order

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#	ARTICLE	IF	CITATIONS
1	New SAV-pressure correction methods for the Navier-Stokes equations: stability and error analysis. <i>Mathematics of Computation</i> , 2022, 91, 141-167.	2.1	30
2	Step-by-step solving schemes based on scalar auxiliary variable and invariant energy quadratization approaches for gradient flows. <i>Numerical Algorithms</i> , 2022, 89, 65-86.	1.9	13
3	Efficient linear and unconditionally energy stable schemes for the modified phase field crystal equation. <i>Science China Mathematics</i> , 2022, 65, 2201-2218.	1.7	7
4	Finite volume element methods for a multi-dimensional fracture model. <i>Journal of Computational and Applied Mathematics</i> , 2022, 406, 114028.	2.0	1
5	Superconvergence of MAC Scheme for a Coupled Free Flow-Porous Media System with Heat Transport on Non-uniform Grids. <i>Journal of Scientific Computing</i> , 2022, 90, 1.	2.3	5
6	Fast and efficient finite difference method for the distributed-order diffusion equation based on the staggered grids. <i>Applied Numerical Mathematics</i> , 2022, 174, 34-45.	2.1	3
7	New efficient and unconditionally energy stable schemes for the Cahn-Hilliard-Brinkman system. <i>Applied Mathematics Letters</i> , 2022, 128, 107918.	2.7	7
8	Modified marker and cell schemes for Stokes equations with Dirichlet boundary condition. <i>Mathematical Methods in the Applied Sciences</i> , 2022, 45, 10384-10407.	2.3	1
9	The fast scalar auxiliary variable approach with unconditional energy stability for nonlocal Cahn-Hilliard equation. <i>Numerical Methods for Partial Differential Equations</i> , 2021, 37, 244-261.	3.6	17
10	Accurate and efficient algorithms with unconditional energy stability for the time fractional Cahn-Hilliard and Allen-Cahn equations. <i>Numerical Methods for Partial Differential Equations</i> , 2021, 37, 2613-2633.	3.6	6
11	Error analysis of the SAV Fourier-spectral method for the Cahn-Hilliard-Hele-Shaw system. <i>Advances in Computational Mathematics</i> , 2021, 47, 1.	1.6	9
12	A highly efficient and accurate exponential semi-implicit scalar auxiliary variable (ESI-SAV) approach for dissipative system. <i>Journal of Computational Physics</i> , 2021, 447, 110703.	3.8	27
13	A fully conservative block-centered finite difference method for Darcy-Forchheimer incompressible miscible displacement problem. <i>Numerical Methods for Partial Differential Equations</i> , 2020, 36, 66-85.	3.6	8
14	A fast high-order compact difference method for the fractal mobile/immobile transport equation. <i>International Journal of Computer Mathematics</i> , 2020, 97, 1860-1883.	1.8	13
15	Efficient modified stabilized invariant energy quadratization approaches for phase-field crystal equation. <i>Numerical Algorithms</i> , 2020, 85, 107-132.	1.9	40
16	Energy stability and convergence of the scalar auxiliary variable Fourier-spectral method for the viscous Cahn-Hilliard equation. <i>Numerical Methods for Partial Differential Equations</i> , 2020, 36, 998-1011.	3.6	2
17	Two fast and efficient linear semi-implicit approaches with unconditional energy stability for nonlocal phase field crystal equation. <i>Applied Numerical Mathematics</i> , 2020, 150, 491-506.	2.1	24
18	Stability and convergence based on the finite difference method for the nonlinear fractional cable equation on non-uniform staggered grids. <i>Applied Numerical Mathematics</i> , 2020, 152, 403-421.	2.1	5

#	ARTICLE	IF	CITATIONS
19	On a SAV-MAC scheme for the Cahn–Hilliard–Navier–Stokes phase-field model and its error analysis for the corresponding Cahn–Hilliard–Stokes case. <i>Mathematical Models and Methods in Applied Sciences</i> , 2020, 30, 2263-2297.	3.3	27
20	Error Analysis of the SAV-MAC Scheme for the Navier–Stokes Equations. <i>SIAM Journal on Numerical Analysis</i> , 2020, 58, 2465-2491.	2.3	45
21	The Exponential Scalar Auxiliary Variable (E-SAV) Approach for Phase Field Models and Its Explicit Computing. <i>SIAM Journal of Scientific Computing</i> , 2020, 42, B630-B655.	2.8	83
22	Stability and error estimates of the SAV Fourier-spectral method for the phase field crystal equation. <i>Advances in Computational Mathematics</i> , 2020, 46, 1.	1.6	39
23	A block-centered finite difference method for the nonlinear Sobolev equation on nonuniform rectangular grids. <i>Applied Mathematics and Computation</i> , 2019, 363, 124607.	2.2	3
24	Efficient modified techniques of invariant energy quadratization approach for gradient flows. <i>Applied Mathematics Letters</i> , 2019, 98, 206-214.	2.7	44
25	Superconvergence of a fully conservative finite difference method on non-uniform staggered grids for simulating wormhole propagation with the Darcy–Brinkman–Forchheimer framework. <i>Journal of Fluid Mechanics</i> , 2019, 872, 438-471.	3.4	12
26	The finite volume method based on the Crouzeix–Raviart element for a fracture model. <i>Numerical Methods for Partial Differential Equations</i> , 2019, 35, 1904-1927.	3.6	4
27	Energy stability and convergence of SAV block-centered finite difference method for gradient flows. <i>Mathematics of Computation</i> , 2019, 88, 2047-2068.	2.1	76
28	Stability and superconvergence of efficient MAC schemes for fractional Stokes equation on non-uniform grids. <i>Applied Numerical Mathematics</i> , 2019, 138, 30-53.	2.1	3
29	A fully conservative block-centered finite difference method for simulating Darcy-Forchheimer compressible wormhole propagation. <i>Numerical Algorithms</i> , 2019, 82, 451-478.	1.9	8
30	Stability and convergence of characteristic MAC scheme and post-processing for the Oseen equations on non-uniform grids. <i>Applied Mathematics and Computation</i> , 2019, 342, 94-111.	2.2	0
31	Two alternating direction implicit spectral methods for two-dimensional distributed-order differential equation. <i>Numerical Algorithms</i> , 2019, 82, 321-347.	1.9	11
32	A block-centred finite difference method for the distributed-order differential equation with Neumann boundary condition. <i>International Journal of Computer Mathematics</i> , 2019, 96, 622-639.	1.8	5
33	Two temporal second-order H1-Galerkin mixed finite element schemes for distributed-order fractional sub-diffusion equations. <i>Numerical Algorithms</i> , 2018, 79, 1107-1130.	1.9	6
34	A block-centered finite difference method for the distributed-order time-fractional diffusion-wave equation. <i>Applied Numerical Mathematics</i> , 2018, 131, 123-139.	2.1	10
35	A Crank–Nicolson difference scheme for the time variable fractional mobile–immobile advection–dispersion equation. <i>Journal of Applied Mathematics and Computing</i> , 2018, 56, 391-410.	2.5	28
36	A second-order finite difference scheme for quasilinear time fractional parabolic equation based on new fractional derivative. <i>International Journal of Computer Mathematics</i> , 2018, 95, 396-411.	1.8	20

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37	A Fast Finite Difference Method for a Continuous Static Linear Bond-Based Peridynamics Model of Mechanics. <i>Journal of Scientific Computing</i> , 2018, 74, 728-742.	2.3	1
38	A high-order fully conservative block-centered finite difference method for the time-fractional advection–dispersion equation. <i>Applied Numerical Mathematics</i> , 2018, 124, 89-109.	2.1	10
39	A block-centered finite difference method for fractional Cattaneo equation. <i>Numerical Methods for Partial Differential Equations</i> , 2018, 34, 296-316.	3.6	3
40	Block-Centered Finite Difference Method for Simulating Compressible Wormhole Propagation. <i>Journal of Scientific Computing</i> , 2018, 74, 1115-1145.	2.3	26
41	Superconvergence of Characteristics Marker and Cell Scheme for the Navier–Stokes Equations on Nonuniform Grids. <i>SIAM Journal on Numerical Analysis</i> , 2018, 56, 1313-1337.	2.3	11
42	Stability and superconvergence of MAC schemes for time dependent Stokes equations on nonuniform grids. <i>Journal of Mathematical Analysis and Applications</i> , 2018, 466, 1499-1524.	1.0	5
43	A novel finite difference discrete scheme for the time fractional diffusion-wave equation. <i>Applied Numerical Mathematics</i> , 2018, 134, 17-30.	2.1	19
44	A fast high order compact difference method for the fractional cable equation. <i>Numerical Methods for Partial Differential Equations</i> , 2018, 34, 2237-2266.	3.6	8
45	Characteristic block-centred finite difference methods for nonlinear convection-dominated diffusion equation. <i>International Journal of Computer Mathematics</i> , 2017, 94, 386-404.	1.8	16
46	A Two-Grid Block-Centered Finite Difference Method for the Nonlinear Time-Fractional Parabolic Equation. <i>Journal of Scientific Computing</i> , 2017, 72, 863-891.	2.3	34
47	Stability and Superconvergence of MAC Scheme for Stokes Equations on Nonuniform Grids. <i>SIAM Journal on Numerical Analysis</i> , 2017, 55, 1135-1158.	2.3	33
48	A fast solution technique for finite element discretization of the space–time fractional diffusion equation. <i>Applied Numerical Mathematics</i> , 2017, 119, 146-163.	2.1	13
49	Characteristic block-centered finite difference method for simulating incompressible wormhole propagation. <i>Computers and Mathematics With Applications</i> , 2017, 73, 2171-2190.	2.7	14
50	A second order Crank–Nicolson scheme for fractional Cattaneo equation based on new fractional derivative. <i>Applied Mathematics and Computation</i> , 2017, 311, 361-374.	2.2	16
51	Characteristic block-centered finite difference method for compressible miscible displacement in porous media. <i>Applied Mathematics and Computation</i> , 2017, 314, 391-407.	2.2	5
52	A parallel CGS block-centered finite difference method for a nonlinear time-fractional parabolic equation. <i>Computer Methods in Applied Mechanics and Engineering</i> , 2016, 308, 330-348.	6.6	29
53	A two-grid block-centered finite difference method for nonlinear non-Fickian flow model. <i>Applied Mathematics and Computation</i> , 2016, 281, 300-313.	2.2	18
54	Error estimate of finite difference method for the nonlinear distributed-ordered diffusion equation on staggered grids. <i>International Journal of Computer Mathematics</i> , 0, , 1-0.	1.8	0