

# Cheng-shi Liu

## List of Publications by Year in descending order

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22  
papers

807  
citations

567281

15  
h-index

677142

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g-index

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docs citations

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times ranked

247  
citing authors

#	ARTICLE	IF	CITATIONS
1	Applications of complete discrimination system for polynomial for classifications of traveling wave solutions to nonlinear differential equations. <i>Computer Physics Communications</i> , 2010, 181, 317-324.	7.5	228
2	Counterexamples on Jumarie's two basic fractional calculus formulae. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2015, 22, 92-94.	3.3	71
3	Trial Equation Method Based on Symmetry and Applications to Nonlinear Equations Arising in Mathematical Physics. <i>Foundations of Physics</i> , 2011, 41, 793-804.	1.3	60
4	Exponential function rational expansion method for nonlinear differential-difference equations. <i>Chaos, Solitons and Fractals</i> , 2009, 40, 708-716.	5.1	53
5	Counterexamples on Jumarie's three basic fractional calculus formulae for non-differentiable continuous functions. <i>Chaos, Solitons and Fractals</i> , 2018, 109, 219-222.	5.1	44
6	New Exact Envelope Traveling Wave Solutions of High-Order Dispersive Cubic-Quintic Nonlinear Schrödinger Equation. <i>Communications in Theoretical Physics</i> , 2005, 44, 799-801.	2.5	43
7	The essence of the homotopy analysis method. <i>Applied Mathematics and Computation</i> , 2010, 216, 1299-1303.	2.2	39
8	Canonical-like transformation method and exact solutions to a class of diffusion equations. <i>Chaos, Solitons and Fractals</i> , 2009, 42, 441-446.	5.1	38
9	Two model equations with a second degree logarithmic nonlinearity and their Gaussian solutions. <i>Communications in Theoretical Physics</i> , 2021, 73, 045007.	2.5	35
10	Exactly solving some typical Riemann-Liouville fractional models by a general method of separation of variables. <i>Communications in Theoretical Physics</i> , 2020, 72, 055006.	2.5	33
11	The essence of the generalized Newton binomial theorem. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2010, 15, 2766-2768.	3.3	28
12	The essence of the generalized Taylor theorem as the foundation of the homotopy analysis method. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2011, 16, 1254-1262.	3.3	26
13	The renormalization method based on the Taylor expansion and applications for asymptotic analysis. <i>Nonlinear Dynamics</i> , 2017, 88, 1099-1124.	5.2	26
14	COMPARISON OF A GENERAL SERIES EXPANSION METHOD AND THE HOMOTOPY ANALYSIS METHOD. <i>Modern Physics Letters B</i> , 2010, 24, 1699-1706.	1.9	16
15	The renormalization method from continuous to discrete dynamical systems: asymptotic solutions, reductions and invariant manifolds. <i>Nonlinear Dynamics</i> , 2018, 94, 873-888.	5.2	16
16	The Gaussian soliton in the Fermi-Pasta-Ulam chain. <i>Nonlinear Dynamics</i> , 2021, 106, 899-905.	5.2	16
17	On the local fractional derivative of everywhere non-differentiable continuous functions on intervals. <i>Communications in Nonlinear Science and Numerical Simulation</i> , 2017, 42, 229-235.	3.3	13
18	MAXIMAL NON-SYMMETRIC ENTROPY LEADS NATURALLY TO ZIPF'S LAW. <i>Fractals</i> , 2008, 16, 99-101.	3.7	6

#	ARTICLE	IF	CITATIONS
19	Nonsymmetric entropy and maximum nonsymmetric entropy principle. <i>Chaos, Solitons and Fractals</i> , 2009, 40, 2469-2474.	5.1	5
20	How many first integrals imply integrability in infinite-dimensional Hamilton system. <i>Reports on Mathematical Physics</i> , 2011, 67, 109-123.	0.8	5
21	Ornstein-Uhlenbeck process, Cauchy process, and Ornstein-Uhlenbeck-Cauchy process on a circle. <i>Applied Mathematics Letters</i> , 2013, 26, 957-962.	2.7	3
22	The renormalization method for singular perturbation of solitons. <i>Chaos, Solitons and Fractals</i> , 2022, 158, 112074.	5.1	3