## Christodoulos Sophocleous

## List of Publications by Year

 in descending orderSource: https:/|exaly.com/author-pdf/1447267/publications.pdf
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Lie symmetries and the constant elasticity of variance (CEV) model. Partial Differential Equations in
Applied Mathematics, 2022, 5, 100290 .
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Special transformation properties for certain equations with applications in Plasma Physics.
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Mathematical Methods in the Applied Sciences, 2021, 44, 14776-14790.
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Extended symmetry analysis of two-dimensional degenerate Burgers equation. Journal of Geometry
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The Lie symmetry approach on (1+2)-dimensional financial models. SN Partial Differential Equations and Applications, 2021, 2, 1.
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Lie Group Classification for a Class of Compound KdVâ " $^{\text {"Burgers Equations with Time-Dependent }}$
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An efficient and highly accurate spectral method for modeling the propagation of solitary magnetic spin waves in thin films. Computational and Applied Mathematics, 2020, 39, 1.
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9 Enhanced Symmetry Analysis of Two-Dimensional Burgers System. Acta Applicandae Mathematicae, 2019,
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11 Lie symmetry analysis of Burgersâ€type systems. Mathematical Methods in the Applied Sciences, 2018, 41,
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Enhanced group classification of Benjaminâ€"Bonaâ€"Mahonyâ€"Burgers equations. Applied Mathematics
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Group Analysis of a Class of Nonlinear Kolmogorov Equations. Springer Proceedings in Mathematics
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| 23 | Lie symmetries of generalized Burgers equations: application to boundary-value problems. Journal of Engineering Mathematics, 2015, 91, 165-176. | 1.2 | 15 |
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| 24 | A deductive approach to the solution of the problem of optimal pairs trading from the viewpoint of stochastic control with timeâ€dependent parameters. Mathematical Methods in the Applied Sciences, 2015, 38, 4448-4460. | 2.3 | 1 |
| 25 | Enhanced group classification of Gardner equations with time-dependent coefficients. Communications in Nonlinear Science and Numerical Simulation, 2015, 22, 1243-1251. | 3.3 | 30 |
| 26 | Differential invariants for third-order evolution equations. Communications in Nonlinear Science and Numerical Simulation, 2015, 20, 352-359. | 3.3 | 6 |
| 27 | Symmetry analysis for a class of nonlinear dispersive equations. Communications in Nonlinear Science and Numerical Simulation, 2015, 22, 1275-1287. | 3.3 | 3 |
| 28 | Equivalence transformations in the study of integrability. Physica Scripta, 2014, 89, 038003. | 2.5 | 40 |
| 29 | Numerical solutions of boundary value problems for variable coefficient generalized KdV equations using Lie symmetries. Communications in Nonlinear Science and Numerical Simulation, 2014, 19, 3074-3085. | 3.3 | 26 |
| 30 | Symmetry and singularity analyses of some equations of the fifth and sixth order in the spatial variable arising from the modelling of thin films. Communications in Nonlinear Science and Numerical Simulation, 2013, 18, 1949-1958. | 3.3 | 1 |
| 31 | Symmetry properties for a generalised thin film equation. Journal of Engineering Mathematics, 2013, 82, 109-124. | 1.2 | 4 |

Application of Lie point symmetries to the resolution of certain problems in financial mathematics with a terminal condition. Journal of Engineering Mathematics, 2013, 82, 67-75.

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Transformation properties of a variable-coefficient Burgers equation. Chaos, Solitons and Fractals, 2004, 20, 1047-1057.5.128Hodograph-type transformations. Nonlinear Analysis: Theory, Methods \& Applications, 2003, 55, 441-466.1.16Symmetries and form-preserving transformations of generalised inhomogeneous nonlinear diffusionequations. Physica A: Statistical Mechanics and Its Applications, 2003, 324, 509-529.
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81 Nonlinear Mathematical Physics, 1999, 6, 355.

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A tri-Hamiltonian formulation of the full Kostant-Toda lattice. Letters in Mathematical Physics, 1995,
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