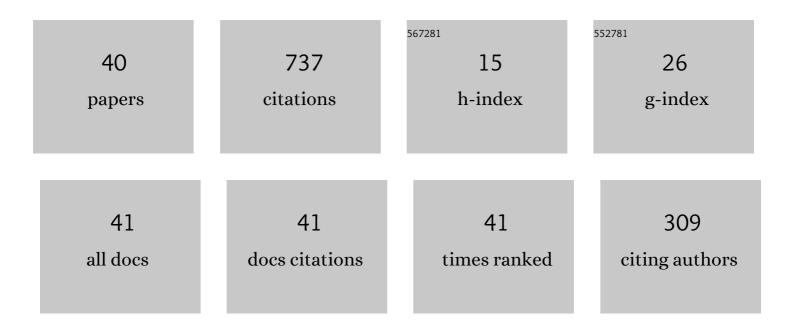
Frederic Valentin

List of Publications by Year in descending order

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#	Article	IF	CITATIONS
1	Bridging the multiscale hybrid-mixed and multiscale hybrid high-order methods. ESAIM: Mathematical Modelling and Numerical Analysis, 2022, 56, 261-285.	1.9	4
2	On a multiscale a posteriori error estimator for the stokes and Brinkman equations. IMA Journal of Numerical Analysis, 2021, 41, 344-380.	2.9	2
3	An adaptive multiscale hybrid-mixed method for the Oseen equations. Advances in Computational Mathematics, 2021, 47, 1.	1.6	2
4	New <i>H</i> (div)-conforming multiscale hybrid-mixed methods for the elasticity problem on polygonal meshes. ESAIM: Mathematical Modelling and Numerical Analysis, 2021, 55, 1005-1037.	1.9	4
5	A Multiscale Hybrid-Mixed Method for the Helmholtz Equation in Heterogeneous Domains. SIAM Journal on Numerical Analysis, 2020, 58, 1029-1067.	2.3	7
6	The multiscale hybrid mixed method in general polygonal meshes. Numerische Mathematik, 2020, 145, 197-237.	1.9	10
7	A multiscale hybrid method for Darcy's problems using mixed finite element local solvers. Computer Methods in Applied Mechanics and Engineering, 2019, 354, 213-244.	6.6	23
8	The Multiscale Hybrid-Mixed method for the Maxwell Equations in Heterogeneous Media. Multiscale Modeling and Simulation, 2018, 16, 1648-1683.	1.6	8
9	Multiscale hybrid-mixed method for the Stokes and Brinkman equations—The method. Computer Methods in Applied Mechanics and Engineering, 2017, 324, 29-53.	6.6	19
10	A hybrid-mixed method for elasticity. ESAIM: Mathematical Modelling and Numerical Analysis, 2016, 50, 311-336.	1.9	18
11	On the robustness of multiscale hybrid-mixed methods. Mathematics of Computation, 2016, 86, 525-548.	2.1	14
12	A low-order local projection method for the incompressible Navier–Stokes equations in two- and three-dimensions. IMA Journal of Numerical Analysis, 2015, , drv004.	2.9	1
13	On a Multiscale Hybrid-Mixed Method for Advective-Reactive Dominated Problems with Heterogeneous Coefficients. Multiscale Modeling and Simulation, 2015, 13, 491-518.	1.6	26
14	An adaptive residual local projection finite element method for the Navier–Stokes equations. Advances in Computational Mathematics, 2014, 40, 1093-1119.	1.6	7
15	A family of Multiscale Hybrid-Mixed finite element methods for the Darcy equation with rough coefficients. Journal of Computational Physics, 2013, 245, 107-130.	3.8	64
16	Multiscale Hybrid-Mixed Method. SIAM Journal on Numerical Analysis, 2013, 51, 3505-3531.	2.3	62
17	Convergence Analysis of a Residual Local Projection Finite Element Method for the Navier–Stokes Equations. SIAM Journal on Numerical Analysis, 2012, 50, 669-699.	2.3	21
18	Numerical multiscale methods for a reaction-dominated model. Computer Methods in Applied Mechanics and Engineering, 2012, 201-204, 228-244.	6.6	9

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#	Article	IF	CITATIONS
19	On a hierarchical error estimator combined with a stabilized method for the Navier–Stokes equations. Numerical Methods for Partial Differential Equations, 2012, 28, 782-806.	3.6	6
20	Beyond pressure stabilization: A lowâ€order local projection method for the Oseen equation. International Journal for Numerical Methods in Engineering, 2011, 86, 801-815.	2.8	12
21	Supporting the Perpetuation and Reproducibility of Numerical Method Publications. Procedia Computer Science, 2011, 4, 688-696.	2.0	1
22	A residual local projection method for the Oseen equation. Computer Methods in Applied Mechanics and Engineering, 2010, 199, 1906-1921.	6.6	15
23	A two-level enriched finite element method for a mixed problem. Mathematics of Computation, 2010, 80, 11-41.	2.1	4
24	Consistent Local Projection Stabilized Finite Element Methods. SIAM Journal on Numerical Analysis, 2010, 48, 1801-1825.	2.3	26
25	On a residual local projection method for the Darcy equation. Comptes Rendus Mathematique, 2009, 347, 1105-1110.	0.3	7
26	Weighted quadrature rules for finite element methods. Journal of Computational and Applied Mathematics, 2009, 227, 93-101.	2.0	6
27	Stabilization arising from PGEM: A review and further developments. Applied Numerical Mathematics, 2009, 59, 2065-2081.	2.1	15
28	A Symmetric Nodal Conservative Finite Element Method for the Darcy Equation. SIAM Journal on Numerical Analysis, 2009, 47, 3652-3677.	2.3	8
29	A stabilized finite-element method for the Stokes problem including element and edge residuals. IMA Journal of Numerical Analysis, 2007, 27, 172-197.	2.9	11
30	Asymptotics of the Poisson Problem in Domains with Curved Rough Boundaries. SIAM Journal on Mathematical Analysis, 2007, 38, 1450-1473.	1.9	27
31	A Petrov–Galerkin enriched method: A mass conservative finite element method for the Darcy equation. Computer Methods in Applied Mechanics and Engineering, 2007, 196, 2449-2464.	6.6	17
32	Stabilized Finite Element Methods Based on Multiscale Enrichment for the Stokes Problem. SIAM Journal on Numerical Analysis, 2006, 44, 322-348.	2.3	64
33	Stabilizing the â"™1/â"™0 Element for the Stokes Problem via Multiscale Enrichment. , 2006, , 752-760.		1
34	A multiscale a posteriori error estimate. Computer Methods in Applied Mechanics and Engineering, 2005, 194, 2077-2094.	6.6	23
35	Towards multiscale functions: enriching finite element spaces with local but not bubble-like functions. Computer Methods in Applied Mechanics and Engineering, 2005, 194, 3006-3021.	6.6	79
36	Relationship between multiscale enrichment and stabilized finite element methods for the generalized Stokes problem. Comptes Rendus Mathematique, 2005, 341, 635-640.	0.3	9

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#	Article	IF	CITATIONS
37	Convergence Analysis of a Multiscale Finite Element Method for Singularly Perturbed Problems. Multiscale Modeling and Simulation, 2005, 4, 839-866.	1.6	27
38	New Wall Laws for the Unsteady Incompressible Navier-Stokes Equations on Rough Domains. ESAIM: Mathematical Modelling and Numerical Analysis, 2002, 36, 177-203.	1.9	15
39	An unusual stabilized finite element method for a generalized Stokes problem. Numerische Mathematik, 2002, 92, 653-677.	1.9	56
40	Analysis of curvature influence on effective boundary conditions. Comptes Rendus Mathematique, 2002, 335, 499-504.	0.3	6