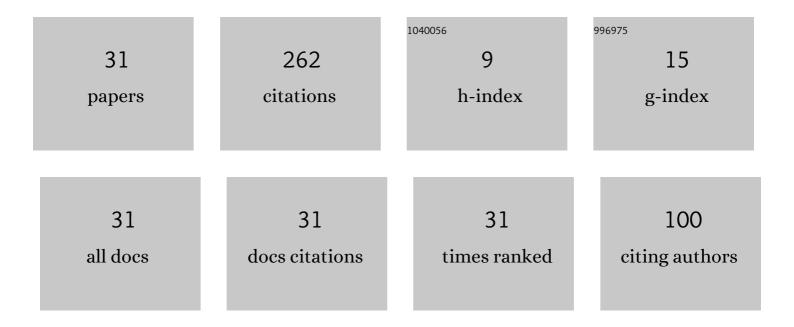


## List of Publications by Year in descending order

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| #  | Article  | IF  | CITATIONS |
|----|--|-----|-----------|
| 1  | On approximating minimizers of convex functionals with a convexity constraint by singular Abreu<br>equations without uniform convexity. Proceedings of the Royal Society of Edinburgh Section A:<br>Mathematics, 2021, 151, 356-376. | 1.2 | 2         |
| 2  | Uniqueness for a system of Monge–Ampère equations. Methods and Applications of Analysis, 2021, 28,<br>15-30.   | 0.5 | 0         |
| 3  | Solvability of a Class of Singular Fourth Order Equations of Monge–Ampère Type. Annals of PDE, 2021,<br>7, 1.  | 1.8 | 1         |
| 4  | On singular Abreu equations in higher dimensions. Journal D'Analyse Mathematique, 2021, 144, 191-205.  | 0.8 | 0         |
| 5  | Global Hölder estimates for 2D linearized Monge–Ampère equations with right-hand side in<br>divergence form. Journal of Mathematical Analysis and Applications, 2020, 485, 123865.   | 1.0 | 7         |
| 6  | Singular Abreu Equations and Minimizers of Convex Functionals with a Convexity Constraint.<br>Communications on Pure and Applied Mathematics, 2020, 73, 2248-2283.   | 3.1 | 4         |
| 7  | Asymptotic behavior of Allen–Cahn-type energies and Neumann eigenvalues via inner variations. Annali<br>Di Matematica Pura Ed Applicata, 2019, 198, 1257-1293.   | 1.0 | 1         |
| 8  | Hölder Regularity of the 2D Dual Semigeostrophic Equations via Analysis of Linearized Monge–Ampère<br>Equations. Communications in Mathematical Physics, 2018, 360, 271-305.   | 2.2 | 3         |
| 9  | On the Harnack inequality for degenerate and singular ellipticÂequations with unbounded lower<br>order terms via sliding paraboloids. Communications in Contemporary Mathematics, 2018, 20, 1750012.                                 | 1.2 | 6         |
| 10 | Global \$\$W^{1,p}\$\$ estimates for solutions to the linearized Monge–Ampère equations. Journal of<br>Geometric Analysis, 2017, 27, 1751-1788.  | 1.0 | 5         |
| 11 | Dynamical and Geometric Aspects of Hamilton-Jacobi and Linearized Monge-Ampère Equations. Lecture<br>Notes in Mathematics, 2017, , .   | 0.2 | 5         |
| 12 | Schauder estimates for degenerate Monge–Ampère equations and smoothness of the eigenfunctions.<br>Inventiones Mathematicae, 2017, 207, 389-423.  | 2.5 | 19        |
| 13 | Boundary Harnack inequality for the linearized Monge-Ampère equations and applications.<br>Transactions of the American Mathematical Society, 2017, 369, 6583-6611.  | 0.9 | 6         |
| 14 | The Linearized Monge-Ampère Equation. Lecture Notes in Mathematics, 2017, , 35-72.   | 0.2 | 0         |
| 15 | The Affine Bernstein and Boundary Value Problems. Lecture Notes in Mathematics, 2017, , 7-33.  | 0.2 | 0         |
| 16 | The Monge-Ampère Equation. Lecture Notes in Mathematics, 2017, , 73-123.   | 0.2 | 0         |
| 17 | Remarks on the Green's function of the linearized Monge–Ampère operator. Manuscripta Mathematica,<br>2016, 149, 45-62.   | 0.6 | 6         |
| 18 | W4,p solution to the second boundary value problem of the prescribed affine mean curvature and Abreu's equations. Journal of Differential Equations, 2016, 260, 4285-4300.   | 2.2 | 14        |

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|----|--|-----|-----------|
| 19 | On the second inner variations of Allen–Cahn type energies and applications to local minimizers.<br>Journal Des Mathematiques Pures Et Appliquees, 2015, 103, 1317-1345.   | 1.6 | 6         |
| 20 | On boundary Hölder gradient estimates for solutions to the linearized Monge-Ampère equations.<br>Proceedings of the American Mathematical Society, 2014, 143, 1605-1615.   | 0.8 | 4         |
| 21 | Global \$\$W^{2,p}\$\$ W 2 , p estimates for solutions to the linearized Monge–Ampère equations.<br>Mathematische Annalen, 2014, 358, 629-700.   | 1.4 | 8         |
| 22 | Global Second Derivative Estimates for the Second Boundary Value Problem of the Prescribed Affine<br>Mean Curvature and Abreu's Equations. International Mathematics Research Notices, 2013, 2013,<br>2421-2438. | 1.0 | 8         |
| 23 | Geometric properties of boundary sections of solutions to the Monge–Ampère equation and applications. Journal of Functional Analysis, 2013, 264, 337-361.  | 1.4 | 8         |
| 24 | Remarks on the curvature behavior at the first singular time of the Ricci flow. Pacific Journal of Mathematics, 2012, 255, 155-175.  | 0.5 | 10        |
| 25 | On the second inner variation of the Allen-Cahn functional and its applications. Indiana University<br>Mathematics Journal, 2011, 60, 1843-1856.   | 0.9 | 10        |
| 26 | Blow up of subcritical quantities at the first singular time of the mean curvature flow. Geometriae<br>Dedicata, 2011, 151, 361-371.   | 0.3 | 6         |
| 27 | On the extension of the mean curvature flow. Mathematische Zeitschrift, 2011, 267, 583-604.  | 0.9 | 24        |
| 28 | Blow-up rate of the mean curvature during the mean curvature flow and a gap theorem for self-shrinkers. Communications in Analysis and Geometry, 2011, 19, 633-659.  | 0.4 | 47        |
| 29 | The mean curvature at the first singular time of the mean curvature flow. Annales De L'Institut Henri<br>Poincare (C) Analyse Non Lineaire, 2010, 27, 1441-1459.   | 1.4 | 15        |
| 30 | On the Convergence of the Ohta–Kawasaki Equation to Motion by Nonlocal Mullins–Sekerka Law.<br>SIAM Journal on Mathematical Analysis, 2010, 42, 1602-1638.   | 1.9 | 15        |
| 31 | A Gamma-convergence approach to the Cahn–Hilliard equation. Calculus of Variations and Partial<br>Differential Equations, 2008, 32, 499-522.   | 1.7 | 22        |