## Roman Vershynin

## List of Publications by Year

 in descending orderSource: https:|/exaly.com/author-pdf/11287692/publications.pdf
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| 36 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| papers |
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1 The smallest singular value of inhomogeneous square random matrices. Annals of Probability, 2021, ..... 1.8 ..... 14
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5.9 ..... 32 A theory of capacity and sparse neural encoding. Neural Networks, 2021, 143, 12-27.
3 The capacity of feedforward neural networks. Neural Networks, 2019, 116, 288-311. ..... 5.9 ..... 39
Phase retrieval via randomized Kaczmarz: theoretical guarantees. Information and Inference, 2019, 8, 1.6 ..... 37
$4 \quad \begin{aligned} & \text { Phase re } \\ & 97-123 .\end{aligned}$
$5 \quad$ Concentration and regularization of random graphs. Random Structures and Algorithms, 2017, 51, 1.1 ..... 60
6 A Simple Tool for Bounding the Deviation of Random Matrices on Geometric Sets. Lecture Notes in Mathematics, 2017, , 277-299.0.230
7 No-gaps delocalization for general random matrices. Geometric and Functional Analysis, 2016, 26, 1716-1776. 1.8 ..... 368 Community detection in sparse networks via Grothendieckâ $€^{T M} s$ inequality. Probability Theory and Related8 Fields, 2016, 165, 1025-1049.
9 The Generalized Lasso With Non-Linear Observations. IEEE Transactions on Information Theory, 2016, 9 62, 1528-1537. ..... 2.4 ..... 991.876
Estimation in High Dimensions: A Geometric Perspective. Applied and Numerical Harmonic Analysis,
Estimation in High Dimensions: A Geometric Perspective. Applied and Numerical Harmonic Analysis,
10 2015, , 3-66.
10 2015, , 3-66. 0.3 0.3 ..... 33 ..... 33
11 On the Effective Measure of Dimension in the Analysis Cosparse Model. IEEE Transactions on Information Theory, 2015, 61, 5745-5753.
12 Invertibility of symmetric random matrices. Random Structures and Algorithms, 2014, 44, 135-182.1.170
Dimension Reduction by Random Hyperplane Tessellations. Discrete and Computational Geometry, 2014,
Dimension Reduction by Random Hyperplane Tessellations. Discrete and Computational Geometry, 2014,
51, 438-461.
51, 438-461. 0.6 0.6 ..... 67 ..... 67
2.48Oneâ€Bit Compressed Sensing by Linear Programming. Communications on Pure and Applied Mathematics,

| 19 | Approximating the moments of marginals of high-dimensional distributions. Annals of Probability, 2011, 39, . | 1.8 | 9 |
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| 20 | Spectral norm of products of random and deterministic matrices. Probability Theory and Related Fields, 2011, 150, 471-509. | 1.8 | 33 |
| 21 | Signal Recovery From Incomplete and Inaccurate Measurements Via Regularized Orthogonal Matching Pursuit. IEEE Journal on Selected Topics in Signal Processing, 2010, 4, 310-316. | 10.8 | 663 |
| 22 | Uncertainty Principles and Vector Quantization. IEEE Transactions on Information Theory, 2010, 56, 3491-3501. | 2.4 | 42 |
| 23 | Smallest singular value of a random rectangular matrix. Communications on Pure and Applied Mathematics, 2009, 62, 1707-1739. | 3.1 | 177 |
| 24 | Uniform Uncertainty Principle and Signal Recovery viaÂRegularized Orthogonal Matching Pursuit. Foundations of Computational Mathematics, 2009, 9, 317-334. | 2.5 | 732 |
| 25 | A Randomized Kaczmarz Algorithm with Exponential Convergence. Journal of Fourier Analysis and Applications, 2009, 15, 262-278. | 1.0 | 500 |
| 26 | Comments on the Randomized Kaczmarz Method. Journal of Fourier Analysis and Applications, 2009, 15, 437-440. | 1.0 | 27 |
| 27 | On the role of sparsity in Compressed Sensing and random matrix theory. , 2009, , |  | 4 |
| 28 | On sparse reconstruction from Fourier and Gaussian measurements. Communications on Pure and Applied Mathematics, 2008, 61, 1025-1045. | 3.1 | 568 |
| 29 | Greedy signal recovery review. , 2008, |  | 58 |
| 30 | Sampling from large matrices. Journal of the ACM, 2007, 54, 21. | 2.2 | 176 |
| 31 | Sparse reconstruction by convex relaxation: Fourier and Gaussian measurements. , 2006, , |  | 144 |

32 Beyond Hirsch Conjecture: Walks on Random Polytopes and Smoothed Complexity of the Simplex

33 Isoperimetry of waists and local versus global asymptotic convex geometries. Duke Mathematical Journal, 2006, 131, 1.

