

Jeb F Willenbring

List of Publications by Year in descending order

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Version: 2024-02-01

9

papers

103

citations

1937685

4

h-index

1474206

9

g-index

9

all docs

9

docs citations

9

times ranked

42

citing authors

#	ARTICLE	IF	CITATIONS
1	Stable branching rules for classical symmetric pairs. <i>Transactions of the American Mathematical Society</i> , 2004, 357, 1601-1626.	0.9	72
2	Hilbert series, Howe duality, and branching rules. <i>Proceedings of the National Academy of Sciences of the United States of America</i> , 2003, 100, 434-437.	7.1	11
3	SMALL SEMISIMPLE SUBALGEBRAS OF SEMISIMPLE LIE ALGEBRAS. <i>Lecture Notes Series, Institute for Mathematical Sciences</i> , 2007, , 403-434.	0.2	7
4	Expected value of the one-dimensional earth mover's distance. <i>Algebraic Statistics</i> , 2020, 11, 53-78. Stable Hilbert series of $\text{cmmlmath altimg="s1.gif" overflow="scroll"}$ <code>xmlns:xocs="http://www.elsevier.com/xml/xocs/dtd" xmlns:xs="http://www.w3.org/2001/XMLSchema"</code> <code>xmlns:xsi="http://www.w3.org/2001/XMLSchema-instance" xmlns="http://www.elsevier.com/xml/ja/dtd"</code> <code>xmlns:ja="http://www.elsevier.com/xml/ja/dtd" xmlns:mml="http://www.w3.org/1998/Math/MathML"</code> <code>xmlns:tb="http://www.elsevier.com/xml/common/table/dtd"</code> <code>xmlns:ice="http://www.elsevier.com/xml/common/structlib/dtd"</code> <code>xmlns="http://www.elsevier.com/xml/ja/ice/structlib/ice"</code>	0.5	4
5	A Stable Range for Dimensions of Homogeneous $O(n)$ -Invariant Polynomials on the $n \times n$ Matrices. <i>Journal of Algebra</i> , 2001, 242, 691-708.	0.7	3
6	An application of the Littlewood restriction formula to the Kostant-Rallis Theorem. <i>Transactions of the American Mathematical Society</i> , 2002, 354, 4393-4419.	0.9	2
7	The Stability of Graded Multiplicity in the Setting of the Kostant-Rallis Theorem. <i>Transformation Groups</i> , 2008, 13, 617-636.	0.7	1
8	Branching from the General Linear Group to the Symmetric Group and the Principal Embedding. <i>Algebraic Combinatorics</i> , 2021, 4, 189-200.	0.3	1